# WEB APPENDIX FOR 

THE EFFECTS

# OF TWO INFLUENTIAL EARLY CHILDHOOD INTERVENTIONS ON HEALTH AND HEALTHY BEHAVIORS 

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## Contents

1 Eligibility Criteria and Randomization Protocol in the ABC and PPP ..... 2
2 Moderators ..... 6
3 Description of the variables used in the paper ..... 8
3.1 Physical Health ..... 8
3.2 Health Insurance ..... 9
3.3 Demand for Health Care ..... 11
3.4 Lifestyles ..... 11
3.4.1 Smoking ..... 13
3.4.2 Drinking ..... 16
4 Methodology ..... 19
4.1 Small Sample Inference ..... 20
4.2 Correcting for Multiple Hypothesis Testing ..... 23
4.3 Correcting for Attrition ..... 24
5 Results ..... 26
6 Mediation Analyses ..... 32

## 1 Eligibility Criteria and Randomization Protocol in the ABC and PPP

PPP The Perry Program admitted five entry cohorts in the early 1960s, drawn from the population surrounding the Perry Elementary school. Candidate families for the study were identified from a survey of the families of the students attending the elementary school, by neighborhood group referrals, and through door-to-door canvassing. The eligibility rules for participation were that the participants should (1) be African-American; (2) have a low Stanford-Binet IQ (between 70 and 85) at study entry and (3) be disadvantaged as measured by the cultural deprivation scale, which included parental employment level, parental education, and housing density (persons per room). The Perry study targeted families who were more disadvantaged than other African-American families in the U.S. but were representative of a large segment of the disadvantaged African-American population. Heckman et al. (2010) show that if PPP were applied nationwide, the bottom $17 \%$ (for males) and $15 \%$ (for females) of the African-American population of the same cohort would be eligible for it. PPP families were particularly disadvantaged among families in the Perry Elementary School neighborhood. PPP families had lower levels of parental education, had fewer working mothers, had larger number of family members, and greater participation in welfare when compared to families in the Perry Elementary School neighborhood. See Heckman, Moon, Pinto, Savelyev and Yavitz (2010) for a comparison between PPP families and other families in the Perry School catchment area.

According to Weikart et al. (1978), families were assigned to treatment and control groups according to a stepwise randomization protocol on the basis of some known pre-program variables, namely: gender, wave cohort, IQ at entry, socio-economic status as measured by the cultural deprivation scale and maternal employment at the onset of the program. The randomization protocol is complex and only partially known. According to Weikart et al. (1978, p. 16), for each designated eligible entry cohort, children were assigned to treatment and control groups in the following way:

1. Younger siblings of any entering cohort were assigned the same treatment status of older
siblings previously enrolled. ${ }^{1}$
2. Remaining participants were ranked by their entry IQ scores. Odd- and even-ranked subjects were assigned to two separate unlabeled groups.
3. Some individuals initially assigned to one group were swapped between the unlabeled groups to balance gender and mean socio-economic (SES) status, "with Stanford-Binet scores held more or less constant."
4. A flip of a coin (a single toss) labeled one group as "treatment" and the other as "control."
5. Some individuals provisionally assigned to treatment, whose mothers were employed at the time of the assignment, were swapped with control individuals whose mothers were not employed.

The rationale for these swaps associated with maternal employment was due to the difficulty for working mothers to participate in the home visits as part of the treatment and to the lack of funds for transportation. ${ }^{2}$ We refer to Heckman et al. (2010) and Heckman et al. (2011) for a more detailed description of the Perry randomization protocol. We apply their method in this paper.

ABC The Abecedarian study included four cohorts of children born between 1972 and 1977 and living in or near Chapel Hill, North Carolina. The children were recruited in four separate waves by eliciting referrals from local community organizations such as prenatal clinics, hospitals, and social services (Breitmayer and Ramey, 1986). Admission to the program took place over a 5-year period resulting in four cohorts of approximately 28 children each.

The ABC sample size is also small. The final sample consists of 111 children. More detailed information is available on the randomization protocol for ABC than for the Perry intervention. First, candidate eligible families were defined as those whose children appeared healthy and free from biological conditions that could be associated with mental, sensory, or motor disabilities (Ramey and Campbell, 1984). Once a candidate was identified, a High-Risk Index (HRI) was

[^0]computed from 13 socio-economic factors capturing disadvantage (see Table 1 in the paper for the complete list), as described in Ramey and Smith (1977), in order to determine eligibility. ${ }^{3}$ The selection process took place either before or shortly after the birth of the subject child, and at the end of it a total of 122 eligible families were invited to enroll in the program. Among those, 121 agreed to participate and one mother experienced a miscarriage, so that at the end a total of 122 children out of 120 families were randomized. According to Ramey and Campbell (1984), the initial 122 children were matched in pairs by "identifying most similar pairs in the High-Risk Index". Published reports of ABC's randomization protocol by FPGC investigators vary over time. Protocols reported include: a) pair-matching of infants by maternal IQ, sex of infant, and family income (Ramey et al., 1975); b) pair-matching of families on sex of child, maternal IQ, number of siblings, and total HRI score (Breitmayer and Ramey, 1986; Ramey et al., 1976, 1977); c) pairmatching of mother-infant dyads by maternal IQ, number of siblings, and sex of the infant (Ramey and Smith, 1977); d) pair-matching of mothers by maternal age, IQ, education and parity (Ramey and Campbell, 1979); e) pair-matching on the High Risk Index and maternal IQ (Ramey et al., 1983); and f) pair-matching of families and children on the High Risk Index Ramey and Campbell, 1984, 1991. However, the precise matched pairs are unknown. Subsequently, the matched children were randomly assigned to treatment or control status within each pair. Treatment status is known for 118 out of 122 children; among these, 61 were assigned to the treatment, and 57 to the control group. At entry, infants were between 6 to 21 weeks of age, averaging about 8.8 weeks old.

Unlike the Perry sample, which had a high retention rate, the ABC intervention suffered losses from attrition at multiple stages. ${ }^{4}$ First, 11 children out of 122 (from 120 families) were lost before the start of the treatment (Campbell and Ramey, 1995) because 8 families declined participation after learning their treatment assignment. ${ }^{5}$ Two participants previously assigned to the control group were swapped to the treatment group at the request of the local authorities, as their lives were threatened due to poor health conditions. Finally, one child was excluded after being diagnosed with idiopathic moderate retardation associated with a seizure disorder (Campbell and Ramey, 1995).

[^1]The base sample who underwent the treatment includes 111 children ( 57 treated, 54 control) born from 109 families (it included one pair of twins and one pair of siblings, both assigned to the treatment group). However, soon after the start of the treatment, four of the 111 children were lost for the following reasons. ${ }^{6}$ One child was diagnosed to be biologically retarded, two died at very early ages ( 3 and 4 months), and a fourth child was withdrawn from the sample before 6 months of age. Subsequent losses due to attrition were encountered in the preschool phase, for a total of 12 children out of 107 . Two children died at 12 and 50 months of age, and the remaining 10 children dropped out by 54 months (although one of them returned to the school-age intervention). ${ }^{7}$ Of these 95 children who completed the preschool intervention, 49 belong to the treatment group, and 46 to the control group, so that retention rates are $86 \%$ for the treatment and $85 \%$ for the control group, respectively. Lastly, while few participants who dropped out in the first phase were subsequently successfully traced in the follow-ups, attrition was particularly severe at the last (biomedical) data collection round, carried out in the mid 30s. For a detailed study of the nature and the extent of attrition in the biomedical sweep, we refer the reader to Campbell et al. (2014).

[^2]
## 2 Moderators

Although both ABC and PPP are early childhood intervention programs that share many similar features, they also differ in various ways as mentioned in the paper. First, ABC provided full-day and full-year services for the first 5 years of life while PPP was a half-day and half-year program that lasted only 2 years from age 3 . Second, PPP was implemented in the 1960s in the Midwest of U.S. (Ypsilanti, MI), followed by ABC about 10 years later in a Southeastern state (Chapel Hill, $\mathrm{NC})$. Third, ABC included a nutrition and health care component while PPP did not. Fourth, background characteristics are slightly different between two programs as shown in Section 2 of the paper.

In principle, to directly compare the two programs, we would need to fully control for all of these differences. However, this is a challenging task, given data limitations and lack of full information on the ecology of each program. In this section, we instead partially address this issue by examining the sensitivity of the treatment effects to a set of selected moderators, as shown in Table 2 of the paper. This set includes the Stanford-Binet IQ at age 3 for both programs: by doing this, we aim to remove all cognitive effects arising from the first 3 years of treatment for the ABC sample. On the other hand, we also include several family characteristics such as father's presence, mother's age, schooling, and working status, and the number of siblings in the household. Our aim, by conditioning on these variables, is to place the two samples on the same basis at the same age for comparison purposes.

Table 1 presents the estimated treatment effects $(\gamma)$ for the two programs based on the following simple linear regression estimated by least squares, $Y=\alpha+\beta X+\gamma D+\epsilon$ where $X$ and $D$ denote moderators and treatment indicator, respectively. The top panel does not account for $X$ but the bottom panel does. The top and the bottom panels together show whether the treatment effect estimates $(\gamma)$ change by conditioning on age-3 moderators $(X)$. The outcome measures $(Y)$ listed in the first column of Table 1 are directly comparable between the two programs (see Table 2 in the Web Appendix). The results indicate that conditioning on age-3 moderators does not change substantially the estimated treatment effects.
Table 1: Treatment Effects with and without moderators: Abecedarian and Perry

|  | ABC |  |  |  |  |  |  | PPP |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Age | Female |  |  | Male |  |  | Age | Female |  |  | Male |  |  |
|  |  | Diff. | s.e. | $p$-val | Diff. | s.e. | $p$-val |  | Diff. | s.e. | $p$-val | Diff. | s.e. | $p$-val |
| Without moderators |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Weight | 35 | 3.721 | 8.669 | 0.350 | -6.850 | 9.739 | 0.244 | 40 | -3.997 | 4.071 | 0.166 | 2.840 | 5.408 | 0.699 |
| Height | 35 | -0.007 | 0.020 | 0.371 | 0.050 | 0.029 | 0.047 | 40 | -0.023 | 0.022 | 0.151 | -0.014 | 0.019 | 0.762 |
| BMI | 35 | 1.785 | 3.144 | 0.286 | -4.075 | 2.809 | 0.080 | 40 | -0.546 | 1.595 | 0.367 | 1.294 | 1.351 | 0.829 |
| Overweight ( $\mathrm{BMI} \geq 25$ ) | 35 | -0.066 | 0.085 | 0.223 | -0.028 | 0.196 | 0.444 | 40 | -0.039 | 0.161 | 0.405 | 0.086 | 0.108 | 0.784 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | 35 | -0.061 | 0.149 | 0.343 | -0.069 | 0.218 | 0.376 | 40 | -0.033 | 0.129 | 0.399 | 0.076 | 0.114 | 0.746 |
| Not a frequent drinker | 30 | 0.023 | 0.095 | 0.405 | -0.072 | 0.118 | 0.272 | 27 | 0.107 | 0.111 | 0.170 | 0.082 | 0.106 | 0.780 |
| Alcohol consumption | 30 | -0.356 | 1.793 | 0.422 | 2.609 | 2.492 | 0.150 | 27 | -0.618 | 1.268 | 0.314 | -2.969 | 2.029 | 0.926 |
| With moderators |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Weight | 35 | 9.950 | 10.069 | 0.165 | -6.047 | 12.723 | 0.320 | 40 | 0.393 | 4.739 | 0.467 | 2.218 | 6.004 | 0.644 |
| Height | 35 | -0.014 | 0.023 | 0.271 | 0.049 | 0.037 | 0.100 | 40 | 0.001 | 0.025 | 0.478 | -0.026 | 0.022 | 0.882 |
| BMI | 35 | 4.559 | 3.636 | 0.109 | -4.472 | 3.725 | 0.124 | 40 | 0.286 | 1.818 | 0.438 | 1.331 | 1.522 | 0.807 |
| Overweight ( $\mathrm{BMI} \geq 25$ ) | 35 | -0.077 | 0.094 | 0.210 | -0.260 | 0.233 | 0.140 | 40 | 0.078 | 0.189 | 0.340 | 0.079 | 0.124 | 0.737 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | 35 | 0.125 | 0.168 | 0.231 | -0.340 | 0.293 | 0.132 | 40 | 0.014 | 0.138 | 0.459 | 0.068 | 0.130 | 0.698 |
| Not a frequent drinker | 30 | 0.020 | 0.115 | 0.432 | -0.115 | 0.182 | 0.267 | 27 | 0.035 | 0.125 | 0.391 | 0.074 | 0.120 | 0.731 |
| Alcohol consumption | 30 | -0.276 | 2.251 | 0.451 | 0.464 | 3.909 | 0.453 | 27 | 0.334 | 1.439 | 0.409 | -2.868 | 2.313 | 0.890 |

[^3]
## 3 Description of the variables used in the paper

In the following we report how the variables used in the paper have been constructed, for both the ABC and the PPP. Notice the questions have only been asked in the sweep in which they are used: the majority of them has only been asked in one sweep, with the exception of questions related to smoking and drinking, which in the PPP have been asked at ages 27 and 40. Table 2 (at the end of this section) presents an overview of the comparability of measures across the two studies.

### 3.1 Physical Health

## 1. Excellent or very good health

PPP, age 40 questionnaire: "Would you say that in general your health is: 1) Excellent 2) Very good 3) Good 4) Fair 5) Poor".

ABC, age 30 questionnaire: "How would you rate your health? a) Excellent b) Very good c) Good d) Fair e) Poor".

The answers "excellent" and "very good" have been coded as 1 , the answers "good", "fair" and "poor" have been coded as 0 .

## 2. Health stopped from working

PPP, age 40 questionnaire: "In the past 15 years, has your health ever stopped you from working for a week or more, including holding a job or being able to do housework? 1) No 2) Yes".
$\underline{\mathrm{ABC}}$, age 30 questionnaire: "Have you ever had a physical or nervous condition that kept you from working (For women: not including pregnancy or child birth)? 1) No 2) Yes".

The answer "yes" has been coded as 1 , the answer "no" has been coded as 0 .

## 3. Weight

PPP, age 40 questionnaire: "About how much do you weigh without shoes? Pounds".
$\underline{\mathrm{ABC}}$, biomedical sweep (mid 30s): Measured by the physician during the physical exam.

In both cases, the measures have been collected in pounds, and they have been converted in kilos.

## 4. Height

PPP, age 40 questionnaire: "About how tall you are without shoes? Feet Inches".
ABC, biomedical sweep (mid 30s): Measured by the physician during the physical exam.
In both cases, the measures have been collected in feet and inches, and they have been converted in meters.
5. BMI

It is derived according to the standard formula: $\frac{\operatorname{weight}(\mathrm{kg})}{\text { height }(\mathrm{m})^{2}}$.

## 6. Overweight

A subject is defined overweight if BMI $\geq 25$.

## 7. Obese

A subject is defined obese if $\mathrm{BMI} \geq 30$.

## 8. Diastolic and systolic blood pressure (ABC only)

ABC, biomedical sweep (mid 30s): Measured by the physician during the physical exam.

## 9. Hypertension I and II (ABC only)

Hypertension I is defined as systolic blood pressure $>140$ and diastolic blood pressure $>90$.
Hypertension II is defined as systolic blood pressure $>140$ or diastolic blood pressure $>90$.

### 3.2 Health Insurance

## 1. Health care coverage

PPP, age 40 questionnaire: "Do you have any kind of health care coverage, including health insurance, prepaid plans such as HMOs (Health Maintenance Organizations), or government plans such as Medicare or Medicaid? 1) No 2) Yes". The possible options are then stated in the following question: "How is most of your medical care paid for? Is the coverage through: Your employer; Someone else's employer; A plan that you or someone
else buys on your own; Medicaid or Medical Assistance [or substitute state program name]; The military, CHAMPUS, TriCare, or the VA [or CHAMP-VA]; Medicare; Some other source (specify); Out of pocket."
$\underline{\mathrm{ABC}}$, age 30 questionnaire: "Which of the following best describes your current health insurance situation? a) No health insurance b) Covered by husband's or wife's insurance policy c) Get own insurance through work d) Get insurance through a union e) Get insurance because of attending school f) Covered because of being on active duty in the military g) Buy private insurance on your own h) Covered by Medicaid i) You don't know what your health insurance situation is $\mathbf{j}$ ) Other (Please specify)".

For PPP, the answer "yes" has been coded as 1 , the answer "no" has been coded as $0 .{ }^{8}$ For ABC, the answers "No health insurance" and "You don't know what your health insurance situation is" have been coded as 0 , all the others have been coded as 1 .

## 2. Employer-provided or bought

PPP, age 40 questionnaire: "How is most of your medical care paid for? Is the coverage through: Your employer? 1) No 2) Yes. A plan that you or someone else buys on your own? 1) No 2) Yes."

ABC, age 30 questionnaire: 'Which of the following best describes your current health insurance situation? a) No health insurance b) Covered by husband's or wife's insurance policy c) Get own insurance through work d) Get insurance through a union e) Get insurance because of attending school f) Covered because of being on active duty in the military g) Buy private insurance on your own h) Covered by Medicaid i) You dont know what your health insurance situation is j) Other (Please specify)".

For PPP, the answer "yes" to either of the questions has been coded as 1 , the answer "no" has been coded as 0 . For ABC, the answers "Get own insurance through work" and "Buy private insurance on your own" have been coded as 1 , all the others have been coded as 0 .

## 3. Provided in prison (PPP only ${ }^{9}$ )

[^4]PPP, age 40 questionnaire: "How is most of your medical care paid for? Is the coverage through: Some other source: state prison? 1) No 2) Yes".

### 3.3 Demand for Health Care

## 1. Hospitalized

PPP, age 40 questionnaire: "During the past 12 months, have you been admitted as a patient in the hospital for any reason? 1) No 2) Yes".

ABC, biomedical sweep (mid 30s): "Past Hospitalizations 0) No 1) Yes 2) DK". (Recorded at the time of the physician exam).

For both, the answer "yes" has been coded 1, the answer "no" and "DK" (ABC only) has been coded 0 .

## 2. Scheduled treatment or exam

PPP, age 40 questionnaire: "Now I have some questions about the health services that you use. Please indicate how many times you saw each of the following doctors in the past 12 months about your physical health. Include only visits regarding your own physical health, not visits when you took someone else to be examined. A doctor, emergency room, or clinic for scheduled treatment or exam. 0) None X) Number of times".

ABC, age 30 questionnaire: "When did you last have an exam for an illness or an injury?
a) Within the past 3 months b) 4-6 months ago c) Within the past year d) Longer than one but less than 2 years ago e) More than two years ago".

For PPP, any "number of times" was coded as 1 , "none" as 0 . For ABC, the answers "Within the past 3 months", " $4-6$ months ago" and "Within the past year" were coded as 1 , all the others were coded as 0 .

### 3.4 Lifestyles

## 1. Physical Activity

PPP, age 40 questionnaire: "During the past month, did you participate regularly in any physical activities such as walking for exercise, running, sports or other fitness exercise? 1) No 2) Yes." "What type of physical activity or exercise did you spend the most time doing during the past month? 1) Walking/treadmill 2) Jogging 3) Lifting weights 4) Biking 5) Rollerskating/rollerblading/ice skating 6) Dancing 7) Aerobics 8) Swimming 9) Organized sports/basketball/soccer/hockey/volleyball/etc. 10) Go to fitness center/home gym 11) Isometrics 12) Horse shoes 13) Stair master/stepper 14) Yard work 15) Personal training 16) Stretching 17) T-bow 18) Shadow boxing". "How often did you take part in this activity during the past month? 1) Two or more times per week 2) Once per week 3) Two or three times per month 4) Once a month 5) Rarely or never".

ABC, age 21 Risk Taking Survey: ${ }^{10}$ "On how many of the past 7 days did you exercise or participate in sports activities for at least 20 minutes that made you sweat and breathe hard, such as basketball, jogging, fast dancing, swimming laps, tennis, fast bicycling, or similar aerobic activities? A) 0 days B) 1 day C) 2 days D) 3 days E) 4 days F) 5 days G) 6 days H) 7 days"

In both cases we constructed variables consistent with the CDC guidelines for adults. ${ }^{11}$ In the PPP there is no information on the time spent in physical activities, so we followed the guideline "muscle-strengthening activities on 2 or more days a week". Hence, the variable was coded 1 if the individual reported having participated in any non-walking physical activity in the past month for two or more times per week. In the ABC , there is information on the time spent, so we followed the guideline " 1 hour and 15 minutes ( 75 minutes) of vigorous-intensity aerobic activity (i.e., jogging or running) every week". Hence, the variable was coded 1 if the individual exercised or participated in sports activities four or more days per week ( $=80$ minutes at least).

## 2. Diet

PPP, age 40 questionnaire: "In the past 15 years have you made any changes in your

[^5]diet for health reasons? 1) No 2) Yes".
ABC, age 21 Risk Taking Survey: ${ }^{12}$ "Yesterday, did you eat fruit?" "A) No B) Yes, once only C) Yes, twice or more".

For PPP, the answer "yes" has been coded as 1 , the answer "no" has been coded as 0 . For ABC , for all the variables, answers "no" have been coded as 0 , answers "yes, once only" have been coded as 1 , and answers "yes, twice or more" have been coded as 2 .

### 3.4.1 Smoking

## 3. Never smoker

PPP, age 40 questionnaire: "Have you smoked at least 100 cigarettes ( $=5$ packs) in your entire life? 1) No 2) Yes".

ABC, age 30 Tobacco, Alcohol and Drugs (TAD) Survey: "How old were you when you first started smoking cigarettes regularly (at least one cigarette every day for 30 days)? a) I have never smoked regularly b) Less then 9 years old c) 9-12 years old d) 13-16 years old e) 17-20 years old f) 21-24 years g) 25 or older".

For PPP, the answer "no" has been coded 1, the answer "yes" has been coded 0. For ABC, the answer "I have never smoked regularly" has been coded 1 , the others have been coded 0 .

## 4. Not a daily smoker

PPP, age 27 questionnaire: "Do you smoke cigarettes or use other forms of tobacco daily? 1) No 2) Yes 9) dk/nr".

PPP, age 40 questionnaire: "Do you now smoke cigarettes or use other forms of tobacco?

1) No 2) Yes". "If yes, do you now smoke cigarettes every day or just some days? 1)

Every day 2) Some days".
ABC, age 30 Tobacco, Alcohol and Drugs (TAD) Survey: "During the past 30 days, on the days that you smoked, how many cigarettes did you smoke per day? a) I did not smoke during the past 30 days b) Fewer than one per day c) 1 cigarette per day d) 2-5

[^6]cigarettes per day e) 6-10 cigarettes per day f) 11-20 cigarettes per day g) Two or more packs per day".

For PPP, answers "yes" (age 27\&40) and "every day" (age 40) have been coded 0, answers "no" and "some days" have been coded as 1. For ABC, answers "I did not smoke during the past 30 days" and "Fewer than one per day" have been coded 1, all the others have been coded 0.

## 5. Not a heavy smoker

PPP, age 27 questionnaire: "How many cigarettes do you usually smoke or how much tobacco do you use each day? Cigarettes; dk/nr; na, do not smoke".

PPP, age 40 questionnaire: "If daily, how many cigarettes do you usually smoke each day? Cigarettes".

ABC, age 30 Tobacco, Alcohol and Drugs (TAD) Survey: "During the past 30 days, on the days that you smoked, how many cigarettes did you smoke per day? a) I did not smoke during the past 30 days b) Fewer than one per day c) 1 cigarette per day d) $2-5$ cigarettes per day e) 6-10 cigarettes per day f) 11-20 cigarettes per day g) Two or more packs per day".

Individuals have been coded as "not heavy smokers" if they report smoking 10 or less cigarettes per day (the non-smokers are coded as smoking 0 cigarettes).

## 6. Cigarettes per day

PPP, age 27 questionnaire: "How many cigarettes do you usually smoke or how much tobacco do you use each day? Cigarettes; dk/nr; na, do not smoke".

PPP, age 40 questionnaire: "If daily, how many cigarettes do you usually smoke each day? Cigarettes".

ABC, age 30 Tobacco, Alcohol and Drugs (TAD) Survey: "During the past 30 days, on the days that you smoked, how many cigarettes did you smoke per day? a) I did not smoke during the past 30 days b) Fewer than one per day c) 1 cigarette per day d) $2-5$
cigarettes per day e) 6-10 cigarettes per day f) 11-20 cigarettes per day g) Two or more packs per day".

For PPP, the variable has been used as reported. For ABC , the midpoints have been used: I did not smoke during the past 30 days has been coded as 0 ; Fewer than one per day has been coded $0.5 ; 1$ cigarette per day has been coded $1 ; 2-5$ cigarettes per day has been coded 3.5 ; 6 -10 cigarettes per day has been coded 8 ; 11-20 cigarettes per day has been coded 15.5; Two or more packs per day has been coded 40 .

## 7. Age of onset of smoking (ABC only)

ABC, age 21 Risk Taking Survey: "How old were you when you first started smoking cigarettes regularly (at least one cigarette every day for 30 days)? a) I have never smoked cigarettes regularly b) Less then 9 years old c) 9 or 10 years old d) 11 or 12 years old e) 13 or 14 years old f) 15 or 16 years g) 17 or more years old"; age 30 Tobacco, Alcohol and Drugs (TAD) Survey: ${ }^{13}$ "How old were you when you first started smoking cigarettes regularly (at least one cigarette every day for 30 days)? a) I have never smoked regularly b) Less then 9 years old c) 9-12 years old d) 13-16 years old e) 17-20 years old f) 21-24 years g) 25 or older".

This variable is only defined for smokers. The midpoints of the age bands have been used: "less than 9 years old" and "9 or 10 years old" have not been answered by anyone; "11 or 12 years old" (age 21) has been coded 11.5; "9-12 years old" (age 30) has been coded 10.5; "13 or 14 years old" (age 21) has been coded 13.5 ; "15 or 16 years" (age 21 ) has been coded 15.5 ; "13-16 years old" (age 30) has been coded 14.5; "17 or more years old" (age 21) has been coded as the midpoint between 17 and the age at the interview, resulting in values ranging from 19 to 21; "17-20 years old" (age 30) has been coded 18.5, "21-24 years" (age 30) has been coded 22.5 , and " 25 or older" (age 30) has been coded as the midpoint between 25 and the age at the interview, resulting in values ranging from 27 to 28 . The response given at age 21 has been used to minimise recall bias, unless the individual did not respond at age 21 or had not started smoking yet, in which cases the response given at age 30 was used.

[^7]
### 3.4.2 Drinking

## 8. Not a frequent drinker

PPP, age 27 questionnaire: "How often do you drink alcoholic beverages? 1) never 2) once in a while 3 ) several times a week 4) daily 8) DK 9) NR".

PPP, age 40 questionnaire: "During the past month, how many days did you drink any alcoholic beverages? Times".

ABC, age 30 Tobacco, Alcohol and Drugs (TAD) Survey: "During the past 30 days, on how many days did you have at least one drink of alcohol? a) 0 days b) 1-2 days c) 3-5 days d) 6-9 days e) 10-19 days f) 20-29 days g) All 30 days".

Individuals drinking never or once in a while (PPP age 27) or less than 10 days per month (PPP age 40 and ABC) have been coded 1, those drinking several times a week or daily (PPP age 27 ) or 10 days or more (PPP age 40 and ABC ) have been coded 0 .

## 9. Alcohol consumption per month

PPP, age 27 questionnaire: "How often do you drink alcoholic beverages? 1) never 2) once in a while 3) several times a week 4) daily 8) DK 9) NR".

PPP, age 40 questionnaire: "During the past month, how many days did you drink any alcoholic beverages? Times".

ABC, age 30 Tobacco, Alcohol and Drugs (TAD) Survey: "During the past 30 days, on how many days did you have at least one drink of alcohol? a) 0 days b) 1-2 days c) 3-5 days d) 6-9 days e) 10-19 days f) 20-29 days g) All 30 days". For PPP at 27 , the variable has been recoded as follows: 'never' has been coded 0 , 'once in a while' has been coded 4 (once a week), 'several times a week' has been coded 12 (assuming 3 times a week), 'daily' has been coded 30. For PPP at 40, the variable has been used as reported. For ABC , the midpoints of the day bands have been used: "1-2 days" has been coded 1.5 , "3-5 days" has been coded 4, "6-9 days" has been coded 7.5, "10-19 days" has been coded 14.5, "20-29 days" has been coded 24.5 , and "all 30 days" has been coded 30 .

## 10. Underage drinker (ABC only)

ABC, age 21 Risk Taking Survey: ${ }^{14}$ "How old were you when you had your first drink of alcohol other than a few sips? a) I have never had a drink of alcohol other than a few sips b) Less then 9 years old c) 9 or 10 years old d) 11 or 12 years old e) 13 or 14 years old f) 15 or 16 years $g) 17$ or more years old".

An individual is defined as "underage drinker" if he reported started drinking at age less than 17: "Less then 9 years old", " 9 or 10 years old", " 11 or 12 years old", " 13 or 14 years old" and " 15 or 16 years" have been coded as 1 , "I have never had a drink of alcohol other than a few sips" and "17 or more years old" have been coded as 0 .

[^8]Table 2: Comparability of Data on Outcomes in the ABC and PPP Studies

| Outcome | $\begin{aligned} & \hline \hline \text { Age } \\ & \text { PPP } \end{aligned}$ | $\begin{gathered} \hline \text { Age } \\ \text { ABC } \end{gathered}$ | Comparability | Notes |
| :---: | :---: | :---: | :---: | :---: |
| Physical Health |  |  |  |  |
| Excellent or very good health | 40 | 30 | High | Same 5-point scale. |
| Health stopped from working | 40 | 30 | Medium | Different recall period ('past 15 yrs' in PPP, 'ever' in ABC) and reference period ('a week or more' in PPP, not specified in ABC). |
| Weight | 40 | 30 | High | Self-reported in PPP, measured in ABC. |
| Height | 40 | 30 | High | Self-reported in PPP, measured in ABC. |
| BMI | 40 | 30 | High | Height and weight are self-reported in PPP, measured in ABC. |
| Overweight ( $\mathrm{BMI} \geq 25$ ) | 40 | 30 | High | Height and weight are self-reported in PPP, measured in ABC. |
| Obese ( $\mathrm{BMI} \geq 30$ ) | 40 | 30 | High | Height and weight are self-reported in PPP, measured in ABC. |
| Diastolic blood pressure | n/a | mid 30s | None | Only measured in ABC. |
| Systolic blood pressure | n/a | mid 30s | None | Only measured in ABC. |
| Health Insurance |  |  |  |  |
| Health care coverage | 40 | 30 | Medium | PPP refers to 'health care coverage', ABC to 'health insurance'; the options are comparable. |
| Employer-provided or bought | 40 | 30 | Medium | PPP refers to 'medical care coverage', ABC to 'health insurance'; the options are comparable. |
| Provided in prison | 40 | n/a | None | Option not available in ABC. |
| Demand for Health Care |  |  |  |  |
| Hospitalized | 40 | mid 30s | Medium | Different recall period ('past 12 mths ' in PPP, not specified in ABC). |
| Scheduled treatment or exam | 40 | 30 | Medium | PPP refers to 'doctor, emergency room, or clinic for scheduled treatment or exam'; ABC refers to 'exam for illness or injury'; the recall period is the same ( 12 months). |
| Lifestyles - Diet and Physical Activity |  |  |  |  |
| Physical activity | 40 | 21 | Low | Different recall period ('past month' in PPP, 'past 7 days' in ABC); different reference time ('regularly' in |
|  |  |  |  | PPP, 'at least 20 minutes' in ABC); different wording ('any physical activities' in PPP, 'sports activities that made you sweat and breathe hard' in ABC ); the variables are constructed following CDC guidelines. |
| Diet \& nutrition | 40 | 21 | Low | Different recall period ('past 15 years' in PPP, 'yesterday' in ABC); different wording ('changes in diet for health reason' in PPP, 'number of times ate fruit' in ABC). |
| Lifestyles - Smoking |  |  |  |  |
| Never smoker | 40 | 30 | Medium | Different wording ('at least 100 cigarettes ( $=5$ packs)' in PPP, 'regular smoking' in ABC). |
| Not a daily smoker | $27 \& 40$ | 30 | Medium | Different recall period ('now' in PPP, 'during the past 30 days' in ABC). |
| Not a heavy smoker | $27 \& 40$ | 30 | Medium | Different recall period ('now' in PPP, 'during the past 30 days' in ABC); different reference sample ('daily smoker' in PPP, 'on the days that you smoked' in ABC). |
| Number of cigarettes per day | 27\&40 | 30 | Medium | Different recall period ('now' in PPP, 'during the past 30 days' in ABC); different reference sample ('daily smoker' in PPP, 'on the days that you smoked' in ABC). Note: the variable is continuous in PPP, banded in ABC . |
| Age of onset of smoking | n/a | 21-30 | None | Only asked in ABC. |
| Lifestyles - Drinking |  |  |  |  |
| Not a frequent drinker | 27 | 30 | Medium | Different recall period (unspecified in PPP, 'during the past 30 days' in ABC); different wording (frequency in PPP, number of days in ABC). |
| Not a frequent drinker | 40 | 30 | High | Same recall period (past 30 days), same wording (number of days). |
| Alcohol consumption | 27 | 30 | Medium | Different recall period (unspecified in PPP, ‘during the past 30 days' in ABC ); different wording (frequency in PPP, number of days in ABC ). |
| Alcohol consumption | 40 | 30 | High | Same recall period (past 30 days), same wording (number of days). |
| Age of onset of drinking <17 | n/a | 21 | None | Only asked in ABC. |

Notes: This table reports the level of comparability of the outcomes in the ABC and PPP. The description of how the variables have been constructed on the basis of the questions asked in the data collections carried out at the different sweeps is reported in the Appendix, Section 2. We define comparability as 'high' when the questions are the same, and at most there is a difference in the collection method (e.g. weight). We define comparability as 'medium' when there is a difference in the questions asked, either in the recall/reference period, or in the wording; however, the questions refer otherwise to the same construct (e.g. daily smoking). We define comparability as 'low' when only the domains the variables belong to are the same (e.g. physical activity), but there are significant differences in the questions wording. We define comparability as 'none' when the variables have only been collected in one of the two interventions.

## 4 Methodology

The standard model of program evaluation describes the observed outcome $Y_{i}$ of participant $i \in \mathcal{I}$ by

$$
\begin{equation*}
Y_{i}=D_{i} Y_{i}(1)+(1-D) Y_{i}(0), \tag{1}
\end{equation*}
$$

where $\mathcal{I}=\{1, \ldots, N\}$ denotes the sample space, $D_{i}$ denotes the treatment assignment for participant $i\left(D_{i}=1\right.$ if treatment occurs, $D_{i}=0$ otherwise) and $\left(Y_{i}(0), Y_{i}(1)\right)$ are potential outcomes for participant $i$ when treatment is fixed at control and treatment status respectively. By "fixed" we mean the value the outcome takes when treatment is exogenously set at some treatment status (see Heckman and Pinto, 2015 for a discussion on fixing and causality).

Heckman et al. (2010) discuss how randomized experiments solve potential problems of selection bias by inducing independence between counterfactual outcomes $\left(Y_{i}(0), Y_{i}(1)\right)$ and treatment status $D_{i}$ when conditioned on the pre-program variables $X$ used in the randomization protocol. In our notation, we write:

Assumption A-1. $(Y(1), Y(0)) \Perp D \mid X$
where variables $X, D$ and $Y(d) ; d \in\{0,1\}$ are $N$-dimensional vectors whose elements are associated with participants $i \in \mathcal{I}$, e.g. $X=\left(X_{i} ; i \in \mathcal{I}\right), D=\left(D_{i} ; i \in \mathcal{I}\right)$, and $Y(d)=\left(Y_{i}(d) ; i \in \mathcal{I}\right) ; d \in\{0,1\}$. In the same fashion, we represent the vector of observed outcomes of Equation (1) by $Y=\left(Y_{i} ; i \in \mathcal{I}\right)$.

In the Perry study, variables $X$ used in the randomization protocol are cohort, gender, children IQ, Socio-economic Status (SES) and maternal employment. In the ABC study, variables $X$ are cohort, gender, maternal IQ, High Risk Index and number of siblings. In the case of Perry, treatment assignment was randomized for each family on the basis of strata defined by variables $X$ of the eldest sibling of each family. In the case of Abecedarian, participants were matched in pairs on the basis of strata defined by variables $X$.

Our aim is to test the null hypothesis of no treatment effect. This hypothesis is equivalent to the statement that the conditional counterfactual outcome vectors share the same distribution:

Hypothesis H-1. $Y(1) \stackrel{\text { dist }}{=} Y(0) \mid X$,
where $\stackrel{\text { dist }}{=}$ denotes equality in distribution. The no treatment effect hypothesis $\mathbf{H} \mathbf{- 1}$ can be restated in more tractable form:

Hypothesis H-1'. Under Assumption A-1 and Hypothesis $\mathbf{H}-\mathbf{1}$, we have that $Y \Perp D \mid X$.
Testing Hypothesis H-1' poses some statistical challenges. First, Perry and Abecedarian have small sample sizes, which cast doubt on inference that relies on the asymptotic behavior of test statistics. We address the problem of small sample size by using exact permutation tests which are tailored to the randomization protocol implemented in each intervention. Second, the presence of multiple outcomes allows for the arbitrary selection of statistically significant ones. The selective reporting of statistically significant outcomes is often termed cherry picking and generates a downward biased inference with smaller $p$-values. We solve the problem of cherry picking by implementing a multiple-hypothesis testing correction based on the stepdown procedure of Romano and Wolf (2005). Third, non-random attrition can create bias in the estimation and inference of treatment effects. We address the problem of attrition by using an inverse probability weighting estimator that controls for missing observations by estimating the probability of dropping out of the sample as function of pre-program variables.

The rest of the exposition is organized as follows. Section 4.1 discusses small sample permutation test. Section 4.2 presents our multiple-hypothesis inference. Section 4.3 describes our correction for attrition.

### 4.1 Small Sample Inference

We test Hypothesis $\mathbf{H}-\mathbf{1}^{\prime}$ through a permutation test that is valid for the small sample sizes of the Perry and Abecedarian interventions. To do so, we explore the invariance of the joint distribution of $(Y, D)$ under permutations that swap the elements of the vector of treatment status $D$.

The invariance of joint distribution $(Y, D)$ stems from two statistical properties. First, the randomization guarantees that $D$ is exchangeable for a set of selected permutations. Otherwise stated, the distribution of $D$ remains the same for selected swaps of elements in $D$. Second, the joint invariance comes from the assumption of no treatment effect, which implies that $Y \Perp D \mid X$ according to Hypothesis $\mathbf{H - 1} \mathbf{1}^{\prime}$.

The exchangeability property of $D$ comes from the fact that scrambling the order of the partic-
ipants sharing the same values on $X$ would not change the underlying distribution of the vector of treatment assignments $D$ (see Heckman et al. (2010) for a discussion). More notation is needed to formalize this property.

Let $\mathscr{G}_{X}$ be the set of all permutations that permute elements only within each stratum of $X$. Formally,

$$
\mathscr{G}_{X}=\left\{\pi_{g}: \mathcal{I} \rightarrow \mathcal{I}: \text { such that } \pi_{g} \text { is a bijection and }\left(\pi_{g}(i)=j\right) \Rightarrow\left(X_{i}=X_{j}\right) \forall i \in \mathcal{I}\right\} .
$$

The exchangeability property of $D$ we can be written as:

$$
\begin{equation*}
D \stackrel{d}{=} g D \quad \forall g \in \mathscr{G}_{X} . \tag{2}
\end{equation*}
$$

where $g D=\left(D_{\pi_{g}(i)}: i \in \mathcal{I}\right)$.
An important feature of the exchangeability property stated in Equation (2) is that it relies on limited information of the randomization protocol. It does not require a full specification of the distribution $D$ nor of the assignment mechanism, but only the knowledge of which variables are used as $X$ in the randomization protocol. Moreover, exchangeability (2) remains valid under compromises of the randomization that is based on the information contained in $X$.

We use the the exchangeability property (2) to generate a permutation-based inference of the hypothesis of no treatment effects. The rationale for permutation-based inference relies on both the exchangeability of treatment assignments and the no-treatment hypothesis. Exchangeability assures that the distribution of the vector of treatment assignments is invariant under valid permutations. Moreover, the no-treatment hypothesis $\mathbf{H - 1}$ states that the vector of outcomes is independent of the vector of treatment assignments. Thus the joint distribution of outcomes and treatment status is invariant under permutations in $\mathscr{G}_{X}$ :

Theorem T-1. Under Hypothesis H-1, the joint distribution of outcomes $Y$ and treatment assignments $D$ are invariant under permutations $\mathscr{G}_{X}$ of treatment assignments within strata formed by values of covariates $X$, that is,

$$
(Y, D) \stackrel{d}{=}(Y, g D) \forall g \in \mathscr{G}_{X} .
$$

Proof. By Equation (2), $D \stackrel{d}{=} g D \forall g \in \mathscr{G}_{X}$. But $Y \Perp D \mid X$ by hypothesis H-1. Thus $(Y, D) \stackrel{d}{=}(Y, g D) \forall g \in \mathscr{G}_{X}$.

Theorem T-1 states what is often called the Randomization Hypothesis.
A consequence of Theorem T-1 is that a statistic based on assignments $D$ and outcomes $Y$ is distribution-invariant under permutations $g \in \mathscr{G}_{X}$. Moreover, under the null hypothesis, the exact distribution of a statistic is given by the collection of its values generated by all permutations in $\mathscr{G}_{X}$ (Lehmann and Romano, 2005).

We can use Theorem T-1 to construct a permutation test. Let larger values of a statistic $T(Y, D)$ provide evidence against Hypothesis H-1. Next, let a critical value $c$ be such that we reject the null hypothesis of treatment effect if $T(Y, D) \geq c$. Thus, if our inference aims to control for a Type- $I$ error at significance level $\alpha$, then the following equation must hold:
$\operatorname{Pr}($ Reject hypothesis $\mathbf{H}-\mathbf{1} \mid$ hypothesis $\mathbf{H}-\mathbf{1}$ is true)

$$
\begin{equation*}
=\operatorname{Pr}(T(Y, D) \geq c \mid \text { Hypothesis } \mathbf{H}-1 \text { is true }) \leq \alpha . \tag{3}
\end{equation*}
$$

The critical value can be computed by taking the $\alpha$-quantile of the set $\left\{T(Y, g D): g \in \mathscr{G}_{X}\right\}$. In practice, permutation tests compare a test statistic computed on the original (unpermuted) data with a distribution of test statistics computed on resamplings of that data according to permutations in $\mathscr{G}_{X}$. The measure of evidence against the Randomization Hypothesis, the $p$-value, is computed as the fraction of resampled data which yields a test statistic greater than that yielded by the original data.

Permutation-based inference is often termed data-dependent because the computed $p$-values are conditional on the observed data. These tests are also distribution-free because they do not rely on assumptions about the parametric distribution from which the data have been sampled. Because permutation tests give accurate $p$-values even when the sampling distribution is skewed, they are often used when sample sizes are small and sample statistics are unlikely to be normal.

We adopt the pre-pivoted $t$-statistics between treatment and control groups for the choice of test statistics. We show the permutation mid- $p$-value for inference. See details of those statistics in Heckman et al. (2010).

### 4.2 Correcting for Multiple Hypothesis Testing

The availability of multiple outcomes creates the danger of selectively reporting statistically significant results that might occur just by chance. To make this statement more precise, suppose that a single-hypothesis test statistic rejects a true null hypothesis at significance level $\alpha$. Thus the probability of rejecting a single hypothesis out of $K$ true hypotheses is given by $1-(1-\alpha)^{K}$. As the number of outcomes $K$ increases, the likelihood of rejecting a true null hypothesis departs from $\alpha$.

We correct for the possibility of arbitrary selection of statistically significant outcomes by adjusting for multiple hypothesis testing. We adopt the familywise error rate (FWER) as the Type-I error for multiple hypotheses. FWER is the probability of rejecting any true null hypothesis in a joint test of a set of hypotheses. The stepdown algorithm of Lehmann and Romano (2005) exhibits strong FWER control, that is to say that FWER is held at or below a specified level regardless of which single hypotheses are true within a set of hypotheses.

The Lehmann and Romano (2005) stepdown method has better statistical properties than traditional Bonferroni and Holm methods by exploiting the statistical dependence of the distributions of test statistics. By accounting for the correlation among single hypothesis $p$-values, we are able to perform a less conservative multiple hypothesis test. In addition, the stepdown method generates as many adjusted $p$-values as there are hypotheses, which facilitates the examination of which sets of hypotheses are rejected.

In this framework, a set of necessary conditions for strong FWER control can be stated as follows:

1. Permutations $g$ belong to $\mathscr{G}_{X}$, that is, permutations are such that, under the null hypotheses, the joint distribution $(Y, g D)$ is invariant for each permutation.
2. The same draw of permutation is used to compute the test statistics associated with all hypotheses we ought to test.
3. The joint-hypothesis test statistic at each stepdown stage is chosen to be the maximum of the individual-hypothesis test statistics.

There is some arbitrariness in defining the blocks of hypotheses that are jointly tested in a multiple-
hypothesis testing procedure. To avoid arbitrariness, we define blocks of independent interest that are selected on a priori grounds.

### 4.3 Correcting for Attrition

Numerous outcomes $Y$ are not observed for some participants due to attrition, whereas the treatment $D$ and preprogram variables $X$ are observed for all participants. As a consequence, the restricted sample may flaw the validity of the randomization property A-1 when conditioned to the non-missing data.

We correct for attrition using statistical models that adjust missing data using observed covariates. Specifically, we retrieve statistics for the full outcome distribution through reweighing non-missing observations according to their likelihood of compliance. This is usually termed Inverse Probability Weighting (IPW) and goes back to Horvitz and Thompson (1952). For a recent review, see Huber (2012).

The key assumption underlying Inverse Probability Weighting methods is that controlling for a set of observed variables, we are able to retrieve the full distribution of an outcome of interest. In that sense, IPW methods rely on matching on observed variables and can be stated as:

Assumption A-2. $Y \Perp A \mid(D, X, Z)$,
where $Z$ are pre-program variables other than $X$ and $A$ is an attrition indicator $A=\left(A_{i}: i \in \mathcal{I}\right)$ which takes value $A_{i}=1$ if participant $i$ has non-missing data on outcome $Y$ and $A_{i}=0$ otherwise. If Assumption A-2 holds, then $E(Y \mid D, X, Z, A)=E(Y \mid D, X, Z)$. Moreover, $D \Perp Y(d) \mid X, Z$ holds due to randomization, and the Average Treatment Effect (ATE) can be evaluated by

$$
\begin{align*}
& E\left(Y_{i}(1)-Y_{i}(0)\right)=\int E\left(Y_{i} \mid D_{i}=1, X_{i}=x, Z_{i}=z\right)-E\left(Y_{i} \mid D_{i}=0, X_{i}=x, Z_{i}=z\right) d F_{X, Z}(x, z), \\
& =\int E\left(Y_{i} \mid D=1, A_{i}=1, X_{i}=x, Z_{i}=z\right)-E\left(Y_{i} \mid D_{i}=0, A_{i}=1, X_{i}=x, Z_{i}=z\right) d F_{X, Z}(x, z) \tag{4}
\end{align*}
$$

where the last equation holds by Assumption (A-2). ATE is identified as $E(Y \mid D, A=\mathbf{1}, X, Z)$ and the distribution of $(X, Z)$ are observed from data. The standard IPW formula for ATE can be
obtained by applying Bayes' theorem to Equation 4:

$$
\begin{equation*}
E\left(\frac{Y_{i} 1\left[A_{i}=1, D_{i}=1\right]}{\operatorname{Pr}\left(A_{i}=1 \mid D_{i}=1, X_{i}, Z_{i}\right) \operatorname{Pr}\left(D_{i}=1 \mid X_{i}, Z_{i}\right)}-\frac{Y_{i} 1\left[A_{i}=1, D_{i}=0\right]}{\operatorname{Pr}\left(A_{i}=1 \mid D_{i}=0, X_{i}, Z_{i}\right) \operatorname{Pr}\left(D_{i}=0 \mid X_{i}, Z_{i}\right)}\right) \tag{5}
\end{equation*}
$$

where $\operatorname{Pr}(\cdot)$ means probability. The implementation of expression (5) as developed by Johnston and DiNardo (1997) is given by:

$$
\begin{array}{ll}
\widehat{A T E}=\sum_{i=1}^{N} \frac{Y_{i} \cdot 1\left[D_{i}=1\right] \cdot 1\left[A_{i}=1\right] \cdot \omega_{i, 1}}{N_{1}}-\sum_{i=1}^{N} \frac{Y_{i} \cdot 1\left[D_{i}=0\right] \cdot 1\left[A_{i}=1\right] \cdot \omega_{i, 0}}{N_{0}} &  \tag{6}\\
\text { where } \omega_{i, d}=\frac{1}{\hat{p}_{i, d}} /\left(\frac{1}{N_{d}} \sum_{j=1}^{N} \frac{1\left[D_{i}=d\right] \cdot 1\left[A_{i}=1\right]}{\hat{p}_{j, d}}\right) & d \in\{0,1\} \\
\text { and } p_{i, d}=\operatorname{Pr}\left(A=1 \mid D=d, X_{i}, Z_{i}\right) \operatorname{Pr}\left(D=d \mid X_{i}, Z_{i}\right) & d \in\{0,1\} \\
\text { where } N_{d}=\sum_{i=1}^{N} 1\left[D_{i}=d\right] \cdot 1\left[A_{i}=1\right] ; & d \in\{0,1\}
\end{array}
$$

where $N$ is the total sample size and $\hat{p}_{i, d}$ is an estimate for $p_{i, d}$. Weights $\omega_{i, d}$ are set such that their sum adds to the available sample size of the respective treatment, that is, $\sum_{i=1}^{N} \omega_{i, d} \cdot 1\left[D_{i}=\right.$ $d] \cdot 1\left[A_{i}=1\right]=N_{d}$.

For the ABC intervention, probabilities $\hat{p}_{i, d}$ are estimated using the logit model based on genderand wave-specific covariates, as in Campbell et al. (2014). For the Perry intervention, probabilities $\hat{p}_{i, d}$ are estimated using the following five variables: (1) child Stanford-Binet IQ at entry, (2) father present at home, (3) number of siblings, (4) family social economic status (SES) as measured by the cultural deprivation scale, and (5) gender. ${ }^{15}$ We use the weighted pre-pivoted $t$-statistics between treatment and control groups as test statistics. Small sample IPW inference is done by recalculating these probabilities for each permutation draw.

[^9]
## 5 Results

In this section we report estimates of the treatment effects and associated $p$-values for health and healthy behaviors of both interventions, using the methodology described in sections 3.1, 3.2 and 3.3 of the paper. We use the methodology previously applied by Heckman et al. (2010) to the Perry Preschool Project and by Campbell et al. (2014) to the Abecedarian Project. Table 3 shows estimates for the males in the PPP, and Table 4 shows the corresponding results for females. Table 5 shows estimates and $p$-values for the males in the ABC, and Table 6 shows the corresponding results for females. For each of the four tables, the outcomes are grouped according to the following categories: physical health; health insurance; demand for health care; diet and physical activity; smoking; drinking. Table 7 presents tests for the equality of the treatment effects in comparable outcomes across ABC and PPP (see Table 2 in Section 3 of the Web Appendix for a list of measures that are comparable).

Table 3: Perry Preschool Intervention - Males

| Variable | C |  | Ctr. <br> M. | Treat. M. | Diff. <br> Ms. | Asy. $p$-val. | Naive $p$-val. | Blk. $p$-val. | Per. S.D. | $\begin{aligned} & \text { Blk. I } \\ & p \text {-val. } \end{aligned}$ | IPW P. S.D. | Gen. $p$-val. | Diff. S.D. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) | (13) | (14) |
|  | Physical Health at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |
| Excellent or very good health | 36 | 30 | 0.639 | 0.700 | 0.061 | 0.303 | 0.311 | 0.235 | 0.235 | 0.166 | 0.166 | 0.752 | 0.752 |
| Health stopped from working | 36 | 30 | 0.528 | 0.433 | 0.094 | 0.226 | 0.226 | 0.387 | 0.450 | 0.276 | 0.319 | 0.669 | 0.888 |
| Self-reported weight | 35 | 30 | 88.619 | 91.459 | 2.840 | 0.699 | 0.698 | 0.723 | 0.993 | 0.672 | 0.988 | 0.420 | 0.617 |
| Self-reported height | 35 | 30 | 1.792 | 1.778 | 0.014 | 0.762 | 0.761 | 0.849 | 0.994 | 0.831 | 0.995 | 0.826 | 0.826 |
| BMI | 35 | 30 | 27.426 | 28.720 | 1.294 | 0.829 | 0.828 | 0.905 | 0.905 | 0.860 | 0.860 | 0.375 | 0.632 |
| Overweight ( $\mathrm{BMI} \geq 25$ ) | 35 | 30 | 0.714 | 0.800 | 0.086 | 0.784 | 0.798 | 0.896 | 0.896 | 0.859 | 0.859 | 0.484 | 0.722 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | 35 | 30 | 0.257 | 0.333 | 0.076 | 0.746 | 0.762 | 0.923 | 0.981 | 0.871 | 0.960 | 0.537 | 0.537 |
|  | Health Insurance at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |
| Health care coverage | 35 | 30 | 0.743 | 0.800 | 0.057 | 0.296 | 0.313 | 0.367 | 0.367 | 0.376 | 0.376 | 0.541 | 0.771 |
| Employer-provided or bought | 36 | 30 | 0.361 | 0.567 | 0.206 | 0.049 | 0.056 | 0.102 | 0.145 | 0.103 | 0.145 | 0.688 | 0.688 |
| Provided in prison | 36 | 30 | 0.222 | 0.100 | 0.122 | 0.095 | 0.105 | 0.078 | 0.174 | 0.082 | 0.187 | 0.281 | 0.593 |
|  | Demand for Health Care at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |
| Hospitalized | 35 | 30 | 0.200 | 0.133 | 0.067 | 0.241 | 0.246 | 0.119 | 0.203 | 0.136 | 0.237 | 0.149 | 0.272 |
| Scheduled treatment or exam | 35 | 30 | 0.171 | 0.167 | 0.005 | 0.480 | 0.492 | 0.515 | 0.515 | 0.543 | 0.543 | 0.171 | 0.171 |
|  | Lifestyles - Diet and Physical Activity |  |  |  |  |  |  |  |  |  |  |  |  |
| Physical activity at 40 y.o | 35 | 30 | 0.457 | 0.367 | 0.090 | 0.766 | 0.779 | 0.584 | 0.584 | 0.545 | 0.545 | 0.024 | 0.048 |
| Healthy Diet at 40 y.o. | 35 | 29 | 0.229 | 0.379 | 0.151 | 0.097 | 0.113 | 0.015 | 0.033 | 0.020 | 0.072 | 0.982 | 0.982 |
|  | Lifestyles - Smoking |  |  |  |  |  |  |  |  |  |  |  |  |
| Not a daily smoker at 27 y.o. | 39 | 31 | 0.462 | 0.581 | 0.119 | 0.164 | 0.160 | 0.092 | 0.092 | 0.089 | 0.089 | 0.977 | 0.977 |
| Not a heavy smoker at 27 y.o. | 39 | 31 | 0.615 | 0.903 | 0.288 | 0.003 | 0.002 | 0.004 | 0.005 | 0.004 | 0.005 | 0.031 | 0.066 |
| No. of cigarettes at 27 y.o. | 39 | 31 | 8.744 | 4.291 | 4.453 | 0.011 | 0.010 | 0.008 | 0.009 | 0.006 | 0.011 | 0.189 | 0.272 |
| Never smoker at 40 y.o. | 36 | 30 | 0.444 | 0.600 | 0.156 | 0.107 | 0.109 | 0.042 | 0.042 | 0.040 | 0.040 | 0.589 | 0.589 |
| Not a daily smoker at 40 y.o. | 36 | 30 | 0.472 | 0.667 | 0.194 | 0.058 | 0.063 | 0.014 | 0.042 | 0.010 | 0.035 | 0.500 | 0.833 |
| Not a heavy smoker at 40 y.o. | 35 | 28 | 0.743 | 0.929 | 0.186 | 0.027 | 0.027 | 0.013 | 0.023 | 0.011 | 0.021 | 0.543 | 0.838 |
| No. of cigarettes at 40 y.o. | 35 | 28 | 6.543 | 3.714 | 2.829 | 0.080 | 0.082 | 0.043 | 0.057 | 0.035 | 0.049 | 0.557 | 0.766 |
|  | Lifestyles - Drinking |  |  |  |  |  |  |  |  |  |  |  |  |
| Not a frequent drinker at 27 y.o. | 39 | 30 | 0.718 | 0.800 | 0.082 | 0.220 | 0.223 | 0.138 | 0.138 | 0.120 | 0.120 | 0.869 | 0.869 |
| Alcohol consumption at 27 y.o. | 39 | 30 | 7.436 | 4.467 | 2.969 | 0.074 | 0.064 | 0.026 | 0.036 | 0.024 | 0.040 | 0.374 | 0.498 |
| Not a frequent drinker at 40 y.o. | 35 | 29 | 0.943 | 0.897 | 0.046 | 0.750 | 0.785 | 0.442 | 0.442 | 0.528 | 0.528 | 0.954 | 0.954 |
| Alcohol consumption at 40 y.o. | 35 | 29 | 2.600 | 3.034 | 0.434 | 0.618 | 0.620 | 0.339 | 0.387 | 0.366 | 0.385 | 0.460 | 0.603 |

Notes: This table presents the inference results for selected outcomes of the Perry Intervention, male sample. The columns present the following information: (1) describes the variable of interest; (2) displays the sample size for the control group; (3) displays the sample size for the treatment group; (4) displays the control mean; (5) displays the treatment mean; (6) displays the unconditional difference in means between treatment and control groups (absolute value); (7) displays the asymptotic $p$ value for the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $p$-values based on 30,000 draws. (8) displays the single hypothesis one-sided naive permutation $p$-value (by naive we mean based on an unconstrained permutation scheme); (9) displays the one-sided single hypothesis constrained permutation $p$-value based on the $t$-statistic associated with the difference in means between treatment groups (by constrained permutation we mean that permutations are done within strata defined by the pre-program variables used in the randomization protocol: gender, cohort indicator, the median of the cultural deprivation scale, child IQ at entry and mother employment status. More specifically, we simulate the pairwise matching defined in the randomization protocol using these variables and permute the treatment status within matched participants). (10) displays the multiple hypothesis testing (stepdown) $p$-values associated with (9). The multiple hypothesis testing is applied to blocks of outcomes indicated by horizontal lines. (11) displays the one-sided single hypothesis constrained permutation $p$-value based on the IPW (Inverse Probability Weighting) $t$-statistic associated with the difference in means between treatment groups. Probabilities of IPW are estimated using the following variables: gender, presence of the father in the home at entry, cultural deprivation scale, child IQ at entry (Stanford-Binet), number of siblings and maternal employment status. (12) displays the multiple hypothesis testing (stepdown) $p$-values associated with (11). The multiple hypothesis testing is applied to block of outcomes indicated by horizontal lines. (13) displays the double-sided single hypothesis $p$-value for the test of gender differences in the treatment effects. (14) displays the double-sided multiple hypothesis testing (stepdown) p-value associated with (13).
Ctr. or $\mathrm{C}=$ Control; Treat. or $\mathrm{T}=$ Treatment; M.=Mean; Ms.=Means; Diff.=Difference; Gen.=Gender; Asy.=Asymptotic; Blk.=Block; Per.=Permutation; $p$-val.=p-value; S.D.=Stepdown; y.o.=years old; IPW=Inverse Probability Weighting.

Table 4: Perry Preschool Intervention - Females

| Variable | $\#$ C |  | $\begin{gathered} \text { Ctr. } \\ \text { M. } \end{gathered}$ | Treat. <br> M. | Diff. Ms. | $\begin{gathered} \text { Asy. } \\ p \text {-val. } \end{gathered}$ | Naive p-val. | $\begin{gathered} \text { Blk. } \\ p \text {-val. } \end{gathered}$ | Per. S.D. | Blk. I p-val. | PW P. S.D. | Gen. $p$-val. | Diff. S.D. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) | (13) | (14) |
|  | Physical Health at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |
| Excellent or very good health | 22 | 24 | 0.500 | 0.500 | 0.000 | 0.500 | 0.555 | 0.459 | 0.459 | 0.342 | 0.342 | 0.752 | 0.752 |
| Health stopped from working | 22 | 24 | 0.591 | 0.417 | 0.174 | 0.123 | 0.155 | 0.225 | 0.249 | 0.198 | 0.210 | 0.669 | 0.888 |
| Self-reported weight | 20 | 18 | 72.665 | 68.669 | 3.997 | 0.165 | 0.161 | 0.223 | 0.929 | 0.248 | 0.880 | 0.420 | 0.617 |
| Self-reported height | 22 | 24 | 1.648 | 1.625 | 0.023 | 0.849 | 0.844 | 1.000 | 1.000 | 1.000 | 1.000 | 0.826 | 0.826 |
| BMI | 20 | 18 | 26.829 | 26.283 | 0.546 | 0.367 | 0.366 | 0.886 | 0.991 | 0.886 | 0.989 | 0.375 | 0.632 |
| Overweight ( $\mathrm{BMI} \geq 25$ ) | 20 | 18 | 0.650 | 0.611 | 0.039 | 0.405 | 0.416 | 0.781 | 0.781 | 0.753 | 0.936 | 0.484 | 0.722 |
| Obese ( $\mathrm{BMI} \geq 30$ ) | 20 | 18 | 0.200 | 0.167 | 0.033 | 0.399 | 0.420 | 0.903 | 0.948 | 0.884 | 0.884 | 0.537 | 0.537 |
|  | Health Insurance at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |
| Health care coverage | 22 | 24 | 0.909 | 0.875 | 0.034 | 0.641 | 0.639 | 0.113 | 0.113 | 0.133 | 0.133 | 0.541 | 0.771 |
| Employer-provided or bought | 22 | 24 | 0.455 | 0.583 | 0.129 | 0.197 | 0.219 | 0.052 | 0.052 | 0.055 | 0.055 | 0.688 | 0.688 |
| Provided in prison | 22 | 24 | 0.000 | 0.000 | 0.000 | - | - | - | - | - | - | 0.281 | 0.593 |
| Demand for Health Care at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Hospitalized | 22 | 24 | 0.136 | 0.292 | 0.155 | 0.895 | 0.898 | 0.804 | 0.913 | 0.785 | 0.904 | 0.149 | 0.272 |
| Scheduled treatment or exam | 22 | 24 | 0.091 | 0.292 | 0.201 | 0.955 | 0.963 | 0.819 | 0.819 | 0.796 | 0.796 | 0.171 | 0.171 |
| Lifestyles - Diet and Physical Activity |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Physical activity at 40 y.o. | 22 | 24 | 0.045 | 0.375 | 0.330 | 0.003 | 0.003 | 0.002 | 0.005 | 0.002 | 0.012 | 0.024 | 0.048 |
| Healthy Diet at 40 y.o. | 22 | 24 | 0.227 | 0.375 | 0.148 | 0.143 | 0.144 | 0.238 | 0.238 | 0.283 | 0.283 | 0.982 | 0.982 |
| Lifestyles - Smoking |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Not a daily smoker at 27 y.o. | 22 | 25 | 0.409 | 0.520 | 0.111 | 0.229 | 0.221 | 0.091 | 0.201 | 0.110 | 0.277 | 0.977 | 0.977 |
| Not a heavy smoker at 27 y.o. | 22 | 25 | 0.818 | 0.760 | 0.058 | 0.682 | 0.692 | 0.673 | 0.673 | 0.662 | 0.662 | 0.031 | 0.066 |
| No. of cigarettes at 27 y.o. | 22 | 25 | 7.682 | 7.600 | 0.082 | 0.489 | 0.496 | 0.281 | 0.456 | 0.297 | 0.482 | 0.189 | 0.272 |
| Never smoker at 40 y.o. | 22 | 24 | 0.409 | 0.458 | 0.049 | 0.372 | 0.379 | 0.103 | 0.103 | 0.137 | 0.504 | 0.589 | 0.589 |
| Not a daily smoker at 40 y.o. | 22 | 23 | 0.455 | 0.522 | 0.067 | 0.330 | 0.317 | 0.156 | 0.416 | 0.206 | 0.472 | 0.500 | 0.833 |
| Not a heavy smoker at 40 y.o. | 22 | 23 | 0.773 | 0.870 | 0.097 | 0.203 | 0.225 | 0.356 | 0.397 | 0.387 | 0.436 | 0.543 | 0.838 |
| No. of cigarettes at 40 y.o. | 22 | 23 | 6.818 | 5.870 | 0.949 | 0.360 | 0.370 | 0.427 | 0.440 | 0.486 | 0.486 | 0.557 | 0.766 |
| Lifestyles - Drinking |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Not a frequent drinker at 27 y.o. | 22 | 25 | 0.773 | 0.880 | 0.107 | 0.169 | 0.193 | 0.004 | 0.019 | 0.015 | 0.028 | 0.869 | 0.869 |
| Alcohol consumption at 27 y.o. | 22 | 25 | 3.818 | 3.200 | 0.618 | 0.314 | 0.320 | 0.085 | 0.085 | 0.094 | 0.094 | 0.374 | 0.498 |
| Not a frequent drinker at 40 y.o. | 22 | 23 | 0.909 | 0.870 | 0.040 | 0.659 | 0.663 | 0.600 | 0.600 | 0.698 | 0.698 | 0.954 | 0.954 |
| Alcohol consumption at 40 y.o. | 22 | 23 | 4.227 | 2.826 | 1.401 | 0.248 | 0.256 | 0.406 | 0.406 | 0.467 | 0.469 | 0.460 | 0.603 |

Notes: This table presents the inference results for selected outcomes of the Perry Intervention, female sample. The columns present the following information: (1) describes the variable of interest; (2) displays the sample size for the control group; (3) displays the sample size for the treatment group; (4) displays the control mean; (5) displays the treatment mean; (6) displays the unconditional difference in means between treatment and control groups (absolute value); (7) displays the asymptotic $p$ value for the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $p$-values based on 30,000 draws. (8) displays the single hypothesis one-sided naive permutation $p$-value (by naive we mean based on an unconstrained permutation scheme); (9) displays the one-sided single hypothesis constrained permutation $p$-value based on the $t$-statistic associated with the difference in means between treatment groups (by constrained permutation we mean that permutations are done within strata defined by the pre-program variables used in the randomization protocol: gender, cohort indicator, the median of the cultural deprivation scale, child IQ at entry and mother employment status. More specifically, we simulate the pairwise matching defined in the randomization protocol using these variables and permute the treatment status within matched participants). (10) displays the multiple hypothesis testing (stepdown) $p$-values associated with (9). The multiple hypothesis testing is applied to blocks of outcomes indicated by horizontal lines. (11) displays the one-sided single hypothesis constrained permutation $p$-value based on the IPW (Inverse Probability Weighting) $t$-statistic associated with the difference in means between treatment groups. Probabilities of IPW are estimated using the following variables: gender, presence of the father in the home at entry, cultural deprivation scale, child IQ at entry (Stanford-Binet), number of siblings and maternal employment status. (12) displays the multiple hypothesis testing (stepdown) p-values associated with (11). The multiple hypothesis testing is applied to block of outcomes indicated by horizontal lines. (13) displays the double-sided single hypothesis $p$-value for the test of gender differences in the treatment effects. (14) displays the double-sided multiple hypothesis testing (stepdown) p-value associated with (13).
Ctr. or $\mathrm{C}=$ Control; Treat. or $\mathrm{T}=$ Treatment; M.=Mean; Ms.=Means; Diff.=Difference; Gen.=Gender; Asy.=Asymptotic; Blk.=Block; Per.=Permutation; $p$-val.=p-value; S.D.=Stepdown; y.o.=years old; IPW=Inverse Probability Weighting.

Table 5: Abecedarian Intervention - Males


Notes: This table presents the inference results for selected outcomes of the Abecedarian Intervention, male sample. The columns present the following information: (1) describes the variable of interest; (2) displays the sample size for the control group; (3) displays the sample size for the treatment group; (4) displays the control mean; (5) displays the treatment mean; (6) displays the unconditional difference in means between treatment and control groups (absolute value); (7) displays the asymptotic $p$-value for the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $p$-values based on 30,000 draws. (8) displays the single hypothesis one-sided naive permutation $p$-value (by naive we mean based on an unconstrained permutation scheme); (9) displays the one-sided single hypothesis constrained permutation $p$-value based on the $t$-statistic associated with the difference in means between treatment groups (by constrained permutation we mean that permutations are done within strata defined by the pre-program variables used in the randomization protocol: gender, cohort indicator, number of siblings, high risk index at birth, and mother WAIS full IQ score. More specifically, we simulate the pairwise matching defined in the randomization protocol using these variables and permute the treatment status within matched participants). (10) displays the multiple hypothesis testing (stepdown) pvalues associated with (9). The multiple hypothesis testing is applied to blocks of outcomes indicated by horizontal lines. (11) displays the one-sided single hypothesis constrained permutation $p$-value based on the IPW (Inverse Probability Weighting) $t$-statistic associated with the difference in means between treatment groups. Probabilities of IPW are estimated using genderand wave-specific covariates. See Campbell et al. (2014) for details. (12) displays the multiple hypothesis testing (stepdown) $p$-values associated with (11). The multiple hypothesis testing is applied to block of outcomes indicated by horizontal lines. (13) displays the double-sided single hypothesis $p$-value for the test of gender differences in the treatment effects. (14) displays the double-sided multiple hypothesis testing (stepdown) p-value associated with (13).
Ctr. or $\mathrm{C}=$ Control; Treat. or $\mathrm{T}=$ Treatment; M.=Mean; Ms.=Means; Diff.=Difference; Gen.=Gender; Asy.=Asymptotic; Blk. $=$ Block; Per. $=$ Permutation; $p$-val. $=p$-value; S.D. $=$ Stepdown; y.o. $=$ years old; IPW=Inverse Probability Weighting.

Table 6: Abecedarian Intervention - Females


Notes: This table presents the inference results for selected outcomes of the Abecedarian Intervention, female sample. The columns present the following information: (1) describes the variable of interest; (2) displays the sample size for the control group; (3) displays the sample size for the treatment group; (4) displays the control mean; (5) displays the treatment mean; (6) displays the unconditional difference in means between treatment and control groups (absolute value); (7) displays the asymptotic $p$-value for the one-sided single hypothesis based on the $t$-statistic associated with the unconditional difference in means. The remaining columns present permutation $p$-values based on 30,000 draws. (8) displays the single hypothesis one-sided naive permutation $p$-value (by naive we mean based on an unconstrained permutation scheme); (9) displays the one-sided single hypothesis constrained permutation $p$-value based on the $t$-statistic associated with the difference in means between treatment groups (by constrained permutation we mean that permutations are done within strata defined by the pre-program variables used in the randomization protocol: gender, cohort indicator, number of siblings, high risk index at birth, and mother WAIS full IQ score. More specifically, we simulate the pairwise matching defined in the randomization protocol using these variables and permute the treatment status within matched participants). (10) displays the multiple hypothesis testing (stepdown) $p$ values associated with (9). The multiple hypothesis testing is applied to blocks of outcomes indicated by horizontal lines. (11) displays the one-sided single hypothesis constrained permutation $p$-value based on the IPW (Inverse Probability Weighting) $t$-statistic associated with the difference in means between treatment groups. Probabilities of IPW are estimated using genderand wave-specific covariates. See Campbell et al. (2014) for details. (12) displays the multiple hypothesis testing (stepdown) $p$-values associated with (11). The multiple hypothesis testing is applied to block of outcomes indicated by horizontal lines. (13) displays the double-sided single hypothesis $p$-value for the test of gender differences in the treatment effects. (14) displays the double-sided multiple hypothesis testing (stepdown) p-value associated with (13).
Ctr. or $\mathrm{C}=$ Control; Treat. or $\mathrm{T}=$ Treatment; $\mathrm{M} .=$ Mean; Ms.=Means; Diff.=Difference; Gen.=Gender; Asy.=Asymptotic; Blk. $=$ Block; Per.=Permutation; $p$-val. $=p$-value; S.D. $=$ Stepdown; y.o.=years old; IPW=Inverse Probability Weighting.
Table 7: Equality of the treatment effects between ABC and PPP

|  | PPP |  |  |  | ABC |  |  |  | Difference ABC-PPP |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Variable | Unc. TE | $p \text {-val. }$ | Cond. TE | $p \text {-val. }$ | Unc. TE | $p \text {-val. }$ | Cond. TE | $p \text {-val. }$ | Unc. TE | $p \text {-val. }$ | Cond. TE | $p \text {-val. }$ |
| (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) | (13) |
| Males |  |  |  |  |  |  |  |  |  |  |  |  |
| Excellent or very good health | 0.061 | 0.296 | 0.066 | 0.297 | 0.148 | 0.135 | 0.139 | 0.159 | 0.087 | 0.622 | 0.073 | 0.696 |
| Weight | 2.840 | 0.695 | 4.475 | 0.772 | -6.850 | 0.227 | -8.237 | 0.198 | -9.691 | 0.367 | -12.712 | 0.266 |
| Height | -0.014 | 0.767 | -0.015 | 0.761 | 0.050 | 0.053 | 0.052 | 0.062 | 0.064 | 0.080 | 0.066 | 0.094 |
| BMI | 1.294 | 0.829 | 1.714 | 0.865 | -4.075 | 0.080 | -4.459 | 0.043 | -5.369 | 0.063 | -6.174 | 0.021 |
| Overweight | 0.086 | 0.781 | 0.094 | 0.787 | -0.028 | 0.441 | -0.120 | 0.270 | -0.113 | 0.604 | -0.214 | 0.351 |
| Obese | 0.076 | 0.740 | 0.071 | 0.709 | -0.069 | 0.366 | -0.072 | 0.369 | -0.146 | 0.536 | -0.144 | 0.569 |
| Not a frequent drinker | -0.046 | 0.710 | -0.074 | 0.792 | -0.072 | 0.769 | -0.060 | 0.721 | -0.026 | 0.841 | 0.014 | 0.917 |
| Alcohol consumption | 0.434 | 0.597 | 0.374 | 0.578 | 2.609 | 0.895 | 2.455 | 0.875 | 2.175 | 0.426 | 2.080 | 0.467 |
| Females |  |  |  |  |  |  |  |  |  |  |  |  |
| Excellent or very good health | 0.000 | 0.500 | 0.130 | 0.210 | 0.024 | 0.431 | 0.063 | 0.333 | 0.024 | 0.906 | -0.067 | 0.759 |
| Weight | -3.997 | 0.283 | -2.750 | 0.365 | 3.721 | 0.707 | 5.623 | 0.769 | 7.717 | 0.430 | 8.373 | 0.449 |
| Height | -0.023 | 0.867 | -0.023 | 0.854 | -0.007 | 0.618 | -0.005 | 0.586 | 0.016 | 0.590 | 0.018 | 0.571 |
| BMI | -0.546 | 0.415 | -0.100 | 0.486 | 1.785 | 0.761 | 2.466 | 0.812 | 2.331 | 0.517 | 2.566 | 0.525 |
| Overweight | -0.039 | 0.381 | 0.055 | 0.657 | -0.066 | 0.301 | -0.061 | 0.322 | -0.027 | 0.882 | -0.116 | 0.542 |
| Obese | -0.033 | 0.407 | -0.054 | 0.358 | -0.061 | 0.331 | 0.060 | 0.666 | -0.027 | 0.891 | 0.114 | 0.576 |
| Not a frequent drinker | -0.039 | 0.653 | -0.130 | 0.888 | 0.023 | 0.402 | -0.059 | 0.730 | 0.062 | 0.647 | 0.071 | 0.622 |
| Alcohol consumption | -1.401 | 0.241 | 0.074 | 0.513 | -0.356 | 0.423 | 0.687 | 0.758 | 1.045 | 0.700 | 0.613 | 0.833 |

Notes: This table presents tests for the equality of the treatment effects for the outcomes with high degree of comparability (see Table 2), PPP and ABC samples. The upper panel presents the results for males, the lower panel presents the results for females. The columns present the following information: (1) describes the variable of interest; (2) displays the unconditional treatment effect for PPP; (3) displays the asymptotic $p$-value for the one-sided single hypothesis based on the $t$-statistic associated with the unconditional treatment effect in (2); (4) displays the conditional treatment effect for PPP, where the conditioning set is the same as in Table 3; (5) displays the asymptotic $p$-value for the one-sided single hypothesis based on the $t$-statistic associated with the conditional treatment effect in (4); (6) displays the unconditional treatment effect for ABC; (7) displays the asymptotic $p$-value for the one-sided single hypothesis based on the $t$-statistic associated with the unconditional treatment effect in (6); (8) displays the conditional treatment effect for ABC, where the conditioning set is the same as in Table 5 ; (9) displays the asymptotic $p$-value for the one-sided single hypothesis based on the $t$-statistic associated with the conditional treatment effect in (8); (10) displays the difference in the unconditional treatment effects between ABC and PPP; (11) displays the asymptotic $p$-value for the two-sided single hypothesis based on the $t$-statistic associated with the difference in the unconditional treatment effects in (10); (12) displays the difference in the conditional treatment effects between ABC and PPP; (13) displays the asymptotic $p$-value for the two-sided single hypothesis based on the $t$-statistic associated with the difference in the conditional treatment effects in (12). The outcomes 'Not a frequent drinker' and 'Alcohol consumption' for PPP refer to age 40 (see Table 2). Unc. $=$ Unconditional; Cond. $=$ Conditional; TE $=$ Treatment Effect.

## 6 Mediation Analyses

This section presents specification tests and the complete results for the dynamic and static mediation analyses described in Section 3 and reported in Section 5 of the paper. Table 8 shows the specification tests for the Perry Preschool Intervention, following Heckman et al. (2013) (in particular, Appendix L). Table 9 shows the results of the dynamic mediation analysis of the Perry Preschool Intervention. Table 10 shows the results of the dynamic mediation analysis of the Perry Preschool Intervention for females. Table 11 shows the results of the static mediation analysis of the Perry Preschool Intervention for males. Table 12 shows the specification tests for the Abecedarian intervention, again following Heckman et al. (2013). Table 13 shows the results of the dynamic mediation analysis of the Abecedarian Intervention. Table 14 shows the results of the static mediation analysis of the Abecedarian Intervention.

Table 8: Perry Preschool Intervention - Specification Tests

| Outcome | Test |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Dynamic Mediation |  |  | Static Mediation |  |  |  |
|  |  |  |  |  | Inputs | Late I | nputs |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) |
|  | Males |  |  |  |  |  |  |
| Not a daily smoker at 27 y.o. |  |  |  |  |  |  |  |
| Test Statistic $p$-value | $\begin{array}{\|c\|} \hline 0.42 \\ (0.742) \end{array}$ | $\begin{gathered} 1.96 \\ (0.133) \end{gathered}$ | $\begin{gathered} 0.28 \\ (0.758) \end{gathered}$ | $\begin{gathered} 1.00 \\ (0.399) \end{gathered}$ | $\begin{gathered} 0.15 \\ (0.865) \end{gathered}$ | $\left\lvert\, \begin{gathered} 3.50 \\ (0.021) \end{gathered}\right.$ | $\begin{gathered} 0.88 \\ (0.422) \end{gathered}$ |
| Not a heavy smoker at 27 y.o. |  |  |  |  |  |  |  |
| Test Statistic $p$-value | $\begin{array}{\|c\|} \hline 0.90 \\ (0.450) \end{array}$ | $\begin{gathered} 0.41 \\ (0.747) \end{gathered}$ | $\begin{gathered} 0.05 \\ (0.949) \end{gathered}$ | $\begin{gathered} 0.62 \\ (0.604) \\ \hline \end{gathered}$ | $\begin{gathered} 0.17 \\ (0.844) \end{gathered}$ | $\begin{gathered} 0.09 \\ (0.965) \end{gathered}$ | $\begin{gathered} 0.13 \\ (0.875) \end{gathered}$ |
| No. of cigarettes at 27 y.o. |  |  |  |  |  |  |  |
| Test Statistic $p$-value | $\begin{array}{\|c\|} 0.66 \\ (0.580) \end{array}$ | $\begin{gathered} 0.69 \\ (0.561) \end{gathered}$ | $\begin{gathered} 0.18 \\ (0.832) \end{gathered}$ | $\begin{gathered} 0.42 \\ (0.742) \end{gathered}$ | $\begin{gathered} 0.14 \\ (0.871) \end{gathered}$ | $\begin{gathered} 0.83 \\ (0.485) \end{gathered}$ | $\begin{gathered} 0.38 \\ (0.685) \end{gathered}$ |
| Never smoker at 40 y.o. |  |  |  |  |  |  |  |
| Test Statistic $p$-value | $\begin{array}{\|c\|} 1.04 \\ (0.384) \end{array}$ | $\begin{gathered} 0.97 \\ (0.418) \end{gathered}$ | $\begin{gathered} 0.93 \\ (0.402) \end{gathered}$ | $\begin{gathered} 0.81 \\ (0.496) \end{gathered}$ | $\begin{gathered} 0.09 \\ (0.914) \end{gathered}$ | $\begin{gathered} 0.83 \\ (0.484) \end{gathered}$ | $\begin{gathered} 0.58 \\ (0.565) \end{gathered}$ |
| Not a daily smoker at 40 y.o. |  |  |  |  |  |  |  |
| Test Statistic $p$-value | $\begin{array}{\|c} 0.29 \\ (0.830) \end{array}$ | $\begin{gathered} 2.37 \\ (0.085) \end{gathered}$ | $\begin{gathered} 1.94 \\ (0.157) \end{gathered}$ | $\left\lvert\, \begin{gathered} 0.56 \\ (0.646) \end{gathered}\right.$ | $\begin{gathered} 0.38 \\ (0.687) \end{gathered}$ | $\left\lvert\, \begin{gathered} 3.06 \\ (\mathbf{0 . 0 3 6}) \end{gathered}\right.$ | $\begin{gathered} 2.56 \\ (0.087) \end{gathered}$ |
| Not a heavy smoker at 40 y.o. |  |  |  |  |  |  |  |
| Test Statistic $p$-value | $\left\lvert\, \begin{gathered} 0.48 \\ (0.696) \end{gathered}\right.$ | $\begin{gathered} 0.33 \\ (0.807) \end{gathered}$ | $\begin{gathered} 0.11 \\ (0.890) \end{gathered}$ | $\begin{gathered} 0.81 \\ (0.496) \end{gathered}$ | $\begin{gathered} 0.38 \\ (0.685) \end{gathered}$ | $\begin{gathered} 0.12 \\ (0.948) \end{gathered}$ | $\begin{gathered} 0.19 \\ (0.825) \end{gathered}$ |
| No. of cigarettes at 40 y.o. |  |  |  |  |  |  |  |
| Test Statistic | 0.22 | 0.68 | 0.58 | 0.25 | 0.36 | 0.77 | 1.06 |
| $p$-value | (0.881) | (0.568) | (0.567) | (0.863) | (0.701) | (0.514) | (0.355) |
| Females |  |  |  |  |  |  |  |
| Physical activity at 40 y.o. |  |  |  |  |  |  |  |
| Test Statistic | 0.07 | 1.06 | 0.54 | 0.37 | 0.58 | 0.63 | 0.11 |
| $p$-value | (0.975) | (0.385) | (0.588) | (0.778) | (0.565) | (0.604) | (0.892) |
| Not a frequent drinker at 27 y.o. |  |  |  |  |  |  |  |
| Test Statistic | 0.28 | 1.25 | 1.46 | 0.36 | 1.34 | 2.24 | 2.26 |
| $p$-value | $(0.838)$ | $(0.311)$ | (0.252) | (0.782) | (0.277) | (0.100) | (0.119) |
| Alcohol consumption at 27 y.o. |  |  |  |  |  |  |  |
| Test Statistic | 1.10 | 1.42 | 2.43 | 1.07 | 2.79 | 1.81 | 2.19 |
|  |  |  |  |  |  |  | (0.127) |

Notes: This table presents Wald test statistics with $p$-values in parentheses for a number of specification tests of whether the regression coefficients in the outcome equations are the same for the treatment and the control group. Specifically, we present tests for the following hypotheses: $H_{0}: \boldsymbol{\alpha}_{C, 1}=\boldsymbol{\alpha}_{C, 0}$ in equation $9(\operatorname{col} .1), H_{0}: \boldsymbol{\alpha}_{A, 1}=\boldsymbol{\alpha}_{A, 0}$ in equation $9(\operatorname{col} .2), H_{0}: \boldsymbol{\beta}_{1}=\boldsymbol{\beta}_{0}$ in equation 9 (col.3), $H_{0}: \boldsymbol{\alpha}_{C, 1}=\boldsymbol{\alpha}_{C, 0}$ in equation $13(\operatorname{col} .4), H_{0}: \boldsymbol{\beta}_{C, 1}=\boldsymbol{\beta}_{C, 0}$ in equation 13 (col.5), $H_{0}: \boldsymbol{\alpha}_{A, 1}=\boldsymbol{\alpha}_{A, 0}$ in equation 14 (col.6), $H_{0}: \boldsymbol{\beta}_{A, 1}=\boldsymbol{\beta}_{A, 0}$ in equation 14 (col.7).
Table 9: Perry Preschool Intervention - Dynamic Mediation Results

| Outcome | Mediator |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) | (13) | (14) | (15) |
|  | Males |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Not a daily smoker at 27 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.018 | 0.481 | -0.034 | -0.033 | -0.151 | 0.267 | 0.016 | -0.017 | 0.008 | 0.011 | -0.032 | 0.045 | 0.001 | 0.003 | 0.005 |
| Inference on share ( $p$-value) | 0.341 | 0.084 | 0.732 | 0.623 | 0.825 | 0.207 | 0.244 | 0.752 | 0.232 | 0.170 | 0.843 | 0.186 | 0.375 | 0.238 | 0.235 |
| Not a heavy smoker at 27 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.013 | 0.078 | 0.011 | 0.009 | 0.021 | 0.006 | -0.004 | 0.002 | 0.000 | -0.003 | 0.004 | 0.001 | -0.000 | -0.000 | 0.000 |
| Inference on share ( $p$-value) | 0.311 | 0.153 | 0.275 | 0.392 | 0.260 | 0.467 | 0.688 | 0.278 | 0.441 | 0.857 | 0.226 | 0.414 | 0.604 | 0.685 | 0.453 |
| No. of cigarettes at 27 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.025 | 0.167 | -0.009 | \|-0.006 | -0.014 | 0.055 | 0.003 | -0.002 | 0.002 | 0.002 | -0.003 | 0.009 | 0.000 | 0.000 | 0.001 |
| Inference on share ( $p$-value) | 0.271 | 0.075 | 0.698 | 0.603 | 0.660 | 0.317 | 0.265 | 0.630 | 0.260 | 0.243 | 0.731 | 0.255 | 0.385 | 0.320 | 0.271 |
| Never smoker at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.038 | 0.349 | -0.008 | \|-0.102 | -0.301 | 0.117 | 0.049 | -0.034 | 0.003 | 0.034 | -0.064 | 0.020 | 0.002 | 0.007 | 0.002 |
| Inference on share ( $p$-value) | 0.304 | 0.075 | 0.589 | 0.639 | 0.877 | 0.295 | 0.213 | 0.797 | 0.234 | 0.134 | 0.886 | 0.225 | 0.399 | 0.212 | 0.271 |
| Not a daily smoker at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.036 | 0.293 | -0.045 | -0.083 | -0.270 | 0.151 | 0.040 | -0.030 | 0.005 | 0.028 | -0.057 | 0.026 | 0.002 | 0.006 | 0.003 |
| Inference on share ( $p$-value) | 0.311 | 0.066 | 0.809 | 0.638 | 0.887 | 0.257 | 0.192 | 0.804 | 0.207 | 0.113 | 0.900 | 0.191 | 0.394 | 0.210 | 0.234 |
| Not a heavy smoker at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.011 | 0.200 | -0.006 | -0.003 | 0.157 | -0.186 | 0.002 | 0.018 | -0.006 | 0.001 | 0.033 | -0.031 | 0.000 | -0.004 | -0.004 |
| Inference on share ( $p$-value) | 0.369 | 0.046 | 0.660 | 0.559 | 0.092 | 0.888 | 0.302 | 0.171 | 0.789 | 0.342 | 0.094 | 0.887 | 0.447 | 0.803 | 0.777 |
| No. of cigarettes at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.087 | 0.435 | -0.075 | -0.042 | 0.008 | -0.082 | 0.020 | 0.001 | -0.002 | 0.014 | 0.002 | -0.014 | 0.001 | -0.000 | -0.002 |
| Inference on share ( $p$-value) | 0.247 | 0.052 | 0.845 | 0.653 | 0.393 | 0.789 | 0.222 | 0.414 | 0.686 | 0.143 | 0.372 | 0.810 | 0.369 | 0.578 | 0.667 |




 entry. For each outcome we present two lines of results. The first line presents the decomposition share. Columns 1-3 display the shares which can be attributed to the direct $\alpha_{C}^{j} E\left(I_{C, 1}^{j}-I_{C, 0}^{j}\right)$


 $E\left(Y_{1}-Y_{0}\right)$ $\alpha_{A}^{j} \gamma^{j} E\left(I_{C, 1}^{j}-I_{C, 0}^{j}\right)$ (see equations 9 (see equations 9
col. 9); columns
 the one-sided $p$-value that tests if the share is statistically significantly different from zero, computed using the bootstrap method ( 1,000 replications)
Table 10: Perry Preschool Intervention - Dynamic Mediation Results (ctd.)

| Outcome | Mediator |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) | (13) | (14) | (15) |
|  | Females |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Physical activity at 40 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.286 | -0.454 | -0.034 | -0.340 | 0.058 | 0.059 | -0.029 | -0.008 | -0.007 | -0.018 | 0.000 | 0.011 | -0.002 | 0.014 | 0.024 |
| Inference on share ( $p$-value) | 0.095 | 0.851 | 0.754 | 0.868 | 0.114 | 0.290 | 0.877 | 0.771 | 0.730 | 0.780 | 0.446 | 0.363 | 0.714 | 0.190 | 0.285 |
| Not a frequent drinker at 27 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | -0.099 | 0.163 | 0.320 | -0.779 | 0.018 | -0.019 | -0.065 | -0.003 | 0.002 | -0.041 | 0.000 | -0.004 | -0.005 | 0.004 | -0.008 |
| Inference on share ( $p$-value) | 0.734 | 0.291 | 0.215 | 0.791 | 0.461 | 0.615 | 0.850 | 0.608 | 0.428 | 0.719 | 0.520 | 0.546 | 0.591 | 0.450 | 0.598 |
| Alcohol consumption at 27 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | 0.027 | 0.376 | 0.212 | -1.736 | 0.129 | 0.124 | -0.146 | -0.018 | -0.016 | -0.092 | 0.001 | 0.023 | -0.011 | 0.031 | 0.052 |
| Inference on share ( $p$-value) | 0.352 | 0.273 | 0.226 | 0.851 | 0.260 | 0.247 | 0.900 | 0.706 | 0.765 | 0.792 | 0.488 | 0.296 | 0.666 | 0.266 | 0.246 |






health effects of experimentally induced changes in childhood factors: $\frac{C_{C}\left(I_{C, 1}-Y_{C, 0}\right)}{E\left(Y_{1}-Y_{0}\right)}$ (see equation 9), where col. (1) refers to cognition, col. (2) to externalizing behavior,
 $\alpha_{A} E\left(I_{A, 1}-I_{A, 0}\right)$ (see equation 9), where col. (4) refers to education, col. (5) to unemployment and col. (6) to income. Columns 7 -15 display the shares which can be $\alpha_{A}^{j} \gamma^{j} E\left(I_{C, 1}^{j}-I_{C, 0}^{j}\right)$ (see equations 9


 the one-sided $p$-value that tests if the share is statistically significantly different from zero, computed using the bootstrap method ( 1,000 replications).

Table 11: Perry Preschool Intervention - Static Mediation Results

| Outcome | Mediator |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) |
|  | Males |  |  |  |  |  |
| Not a daily smoker at 27 y.o. |  |  |  |  |  |  |
| Share | 0.033 | 0.567 | -0.030 | 0.036 | 0.844 | -0.369 |
| Inference on share ( $p$-value) | 0.306 | 0.099 | 0.720 | 0.226 | 0.118 | 0.863 |
| Not a heavy smoker at 27 y.o. |  |  |  |  |  |  |
| Share | 0.017 | 0.089 | 0.007 | -0.002 | 0.073 | 0.002 |
| Inference on share ( $p$-value) | 0.276 | 0.151 | 0.325 | 0.581 | 0.259 | 0.433 |
| No. of cigarettes at 27 y.o. |  |  |  |  |  |  |
| Share | 0.035 | 0.197 | -0.012 | 0.008 | 0.184 | -0.043 |
| Inference on share ( $p$-value) | 0.256 | 0.061 | 0.707 | 0.232 | 0.158 | 0.722 |
| Never smoker at 40 y.o. |  |  |  |  |  |  |
| Share | 0.049 | 0.318 | 0.007 | 0.135 | 0.780 | -0.917 |
| Inference on share ( $p$-value) | 0.281 | 0.081 | 0.314 | 0.227 | 0.090 | 0.929 |
| Not a daily smoker at 40 y.o. |  |  |  |  |  |  |
| Share | 0.048 | 0.279 | -0.029 | 0.084 | 0.581 | -0.652 |
| Inference on share ( $p$-value) | 0.267 | 0.061 | 0.762 | 0.211 | 0.106 | 0.924 |
| Not a heavy smoker at 40 y.o. |  |  |  |  |  |  |
| Share | 0.039 | 0.249 | -0.024 | 0.009 | -0.068 | 0.139 |
| Inference on share ( $p$-value) | 0.280 | 0.051 | 0.795 | 0.228 | 0.769 | 0.111 |
| No. of cigarettes at 40 y.o. |  |  |  |  |  |  |
| Share | 0.122 | 0.485 | -0.083 | 0.043 | 0.122 | 0.023 |
| Inference on share ( $p$-value) | 0.237 | 0.052 | 0.858 | 0.223 | 0.276 | 0.345 |
|  | Females |  |  |  |  |  |
| Physical activity at 40 y.o. |  |  |  |  |  |  |
| Share | 0.235 | -0.438 | 0.006 | -0.123 | 0.037 | 0.037 |
| Inference on share ( $p$-value) | 0.096 | 0.862 | 0.431 | 0.705 | 0.350 | 0.198 |
| Not a frequent drinker at 27 y.o. |  |  |  |  |  |  |
| Share | -0.184 | 0.166 | 0.325 | -1.591 | 0.157 | 0.134 |
| Inference on share ( $p$-value) | 0.843 | 0.260 | 0.197 | 0.835 | 0.293 | 0.306 |
| Alcohol consumption at 27 y.o. |  |  |  |  |  |  |
| Share | -0.195 | 0.423 | 0.314 | -4.748 | 0.587 | 0.497 |
| Inference on share ( $p$-value) | 0.846 | 0.235 | 0.173 | 0.942 | 0.144 | 0.098 |

Notes: This table presents conditional decomposition results for the two multiple static mediation analyses of the statistically significant outcomes for the Perry Preschool Intervention. Columns 1-3 report the results for the static mediation analysis, which only includes the early childhood mediators: the Stanford-Binet IQ score for ages 7-9, the externalizing behavior factor for ages 7-9, the academic motivation factor for ages 7-9 (as in Heckman et al. (2013)). Columns 4-6 report the results for the static mediation analysis, which only includes the adult mediators: being a high school graduate by age 19, monthly income at age 27 adjusted to 2006 prices and number of months unemployed in the last 2 years at age 27 (as in Heckman et al. (2010)). The conditioning variables used are father at home at entry and mother employed at entry. For each outcome we present two lines of results. The first line presents the decomposition share, i.e. $\frac{\alpha_{C}^{j} E\left(I_{C, 1}^{j}-I_{C, 0}^{j}\right)}{E\left(Y_{1}-Y_{0}\right)}$ (see equation 13) in columns 1-3, where col. (1) refers to cognition, col. (2) to externalizing behavior, and col. (3) to academic motivation; and $\frac{\alpha_{A}^{j} E\left(I_{A, 1}^{j}-I_{A, 0}^{j}\right)}{E\left(Y_{1}-Y_{0}\right)}$ (see equation 14) in columns 4-6, where col. (4) refers to education, col. (5) to unemployment and col. (6) to income. The second line presents the one-sided $p$-value that tests if the share is statistically significantly different from zero, computed using the bootstrap method (1,000 replications).

Table 12: Carolina Abecedarian Intervention - Specification Tests

| Outcome | Test |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Dynamic Mediation |  |  | Static Mediation |  |  |  |
|  |  |  |  | Early | Inputs | Late | Inputs |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) |
|  | Males |  |  |  |  |  |  |
| Diastolic blood pressure at mid 30s |  |  |  |  |  |  |  |
| Test Statistic | 1.11 | 3.26 | 0.56 | 8.92 | 6.28 | 9.04 | 0.80 |
| $p$-value | (0.417) | (0.110) | (0.596) | (0.003) | (0.007) | (0.005) | (0.550) |
| Systolic blood pressure at mid 30s |  |  |  |  |  |  |  |
| Test Statistic | 1.02 | 8.81 | 4.75 | 5.82 | 6.32 | 16.80 | 5.31 |
| $p$-value | (0.447) | (0.016) | (0.058) | (0.012) | (0.007) | (0.000) | (0.012) |
| Hypertension I at mid 30s |  |  |  |  |  |  |  |
| Test Statistic | 2.05 | 3.21 | 0.23 | 1.26 | 3.19 | 4.99 | 2.57 |
| $p$-value | (0.209) | (0.113) | (0.800) | (0.335) | (0.057) | (0.029) | (0.097) |
| Hypertension II at mid 30s |  |  |  |  |  |  |  |
| Test Statistic | 5.01 | 1.36 | 2.67 | 2.84 | 1.30 | 1.66 | 0.82 |
| $p$-value | (0.045) | (0.326) | (0.148) | (0.087) | (0.330) | (0.235) | (0.541) |
| Health care coverage at 30 y.o. |  |  |  |  |  |  |  |
| Test Statistic | 0.01 | 0.93 | 1.80 | 1.07 | 2.16 | 3.72 | 3.17 |
| $p$-value | (0.998) | (0.444) | (0.165) | (0.379) | (0.098) | (0.022) | (0.028) |
| Health coverage provided by the employer or bought at 30 y.o. |  |  |  |  |  |  |  |
| Test Statistic | 1.23 | 0.14 | 1.07 | 2.80 | 1.49 | 1.86 | 0.51 |
| $p$-value | (0.322) | (0.932) | (0.397) | (0.057) | (0.230) | (0.157) | (0.727) |
|  | Females |  |  |  |  |  |  |
| Physical activity at 21 y.o. |  |  |  |  |  |  |  |
| Test Statistic | $\mathrm{n} / \mathrm{a}$ | n/a | n/a | 0.08 | 1.10 | n/a | n/a |
| $p$-value |  |  | (-) | $(0.972)$ | $(0.374)$ | (-) | (-) |
| \# Fruit servings at 21 y.o. |  |  |  |  |  |  |  |
| Test Statistic | $\mathrm{n} / \mathrm{a}$ | $\mathrm{n} / \mathrm{a}$ | n/a | 0.50 | 0.77 | n/a | n/a |
| $p$-value | (-) |  | (-) | $(0.685)$ | $(0.551)$ |  |  |
| Age of onset of drinking < 17 |  |  |  |  |  |  |  |
| Test Statistic | n/a | n/a | n/a | 1.81 | 0.25 | n/a | n/a |
| $p$-value |  |  |  | (0.167) |  | (-) | (-) |

Notes: This table presents Wald test statistics with $p$-values in parentheses for a number of specification tests of whether the regression coefficients in the outcome equations are the same for the treatment and the control group. Notice the tests cannot be performed for the dynamic mediation analysis and for the static mediation analysis with late inputs for the female sample, since the outcomes are measured at age 21 and the adult mediators at age 30 . Specifically, we present tests for the following hypotheses: $H_{0}: \boldsymbol{\alpha}_{C, 1}=\boldsymbol{\alpha}_{C, 0}$ in equation 9 (col.1), $H_{0}: \boldsymbol{\alpha}_{A, 1}=\boldsymbol{\alpha}_{A, 0}$ in equation 9 (col.2), $H_{0}: \boldsymbol{\beta}_{1}=\boldsymbol{\beta}_{0}$ in equation 9 (col.3), $H_{0}: \boldsymbol{\alpha}_{C, 1}=\boldsymbol{\alpha}_{C, 0}$ in equation 13 (col.4), $H_{0}: \boldsymbol{\beta}_{C, 1}=\boldsymbol{\beta}_{C, 0}$ in equation 13 (col.5), $H_{0}: \boldsymbol{\alpha}_{A, 1}=\boldsymbol{\alpha}_{A, 0}$ in equation 14 (col.6), $H_{0}: \boldsymbol{\beta}_{A, 1}=\boldsymbol{\beta}_{A, 0}$ in equation 14 (col.7).
Table 13: Carolina Abecedarian Intervention - Dynamic Mediation Results

| Outcome | Mediator |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) | (5) | (6) | (7) | (8) | (9) | (10) | (11) | (12) | (13) | (14) | (15) |
|  | Males |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Diastolic blood pressure at mid 30s |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | -0.263 | 0.217 | 0.292 | -0.068 | -0.022 | 0.004 | -0.018 | 0.001 | -0.001 | -0.002 | -0.001 | 0.002 | -0.006 | -0.011 | 0.004 |
| Inference on share ( $p$-value) | 0.904 | 0.092 | 0.095 | 0.820 | 0.562 | 0.536 | 0.765 | 0.452 | 0.622 | 0.689 | 0.501 | 0.410 | 0.781 | 0.482 | 0.501 |
| Systolic blood pressure at mid 30s |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | -0.224 | 0.276 | 0.296 | -0.130 | -0.087 | 0.026 | -0.035 | 0.004 | -0.008 | -0.004 | -0.002 | 0.009 | -0.012 | -0.044 | 0.022 |
| Inference on share ( $p$-value) | 0.901 | 0.081 | 0.049 | 0.811 | 0.706 | 0.531 | 0.724 | 0.368 | 0.684 | 0.595 | 0.528 | 0.336 | 0.830 | 0.623 | 0.412 |
| Hypertension I at mid 30s |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | -0.318 | 0.175 | 0.306 | -0.029 | -0.097 | 0.001 | -0.008 | 0.004 | -0.000 | -0.001 | -0.002 | 0.000 | -0.003 | -0.050 | 0.001 |
| Inference on share ( $p$-value) | 0.908 | 0.076 | 0.078 | 0.863 | 0.818 | 0.738 | 0.824 | 0.324 | 0.384 | 0.684 | 0.577 | 0.648 | 0.690 | 0.738 | 0.747 |
| Hypertension II at mid 30s |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | -0.147 | 0.179 | 0.200 | -0.097 | 0.097 | 0.023 | -0.026 | -0.004 | -0.007 | -0.003 | 0.002 | 0.008 | -0.009 | 0.050 | 0.019 |
| Inference on share ( $p$-value) | 0.912 | 0.083 | 0.147 | 0.817 | 0.211 | 0.506 | 0.732 | 0.665 | 0.625 | 0.640 | 0.452 | 0.339 | 0.769 | 0.265 | 0.327 |
| Health care coverage at 30 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | -0.365 | 0.046 | 0.019 | 0.077 | 0.394 | 0.047 | 0.020 | -0.017 | -0.015 | 0.003 | 0.009 | 0.017 | 0.007 | 0.200 | 0.039 |
| Inference on share ( $p$-value) | 0.729 | 0.392 | 0.321 | 0.263 | 0.163 | 0.289 | 0.288 | 0.603 | 0.816 | 0.417 | 0.546 | 0.197 | 0.162 | 0.203 | 0.254 |
| Health coverage provided by the employer or bought at 30 y.o. |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Share | -0.068 | -0.074 | 0.038 | 0.040 | 0.260 | 0.066 | 0.011 | -0.011 | -0.021 | 0.001 | 0.006 | 0.024 | 0.004 | 0.132 | 0.005 |
| Inference on share ( $p$-value) | 0.550 | 0.769 | 0.233 | 0.322 | 0.100 | 0.236 | 0.299 | 0.641 | 0.798 | 0.480 | 0.532 | 0.199 | 0.168 | 0.179 | 0.212 |

 sample. This analysis cannot be performed on the female sample since the statistically significant outcomes are surveyed at age 21, while the adult mediators are recorded

 for-age at ages 1-2 (Campbell et al., 2014); and three adult mediators: college education, employment and earnings (as in García et al. (2014)). The conditioning variables used
are: mother's WAIS IQ score, HRI (High Risk Index), presence of the father at home and mother employed at entry. For each outcome we present two lines of results. The first line presents the decomposition share. Columns 1-3 display the shares which can be attributed to the direct health effects of experimentally induced changes in childhood
factors: $\frac{E\left(Y_{1}-Y_{0}\right)}{}$ (see equation 9), where col. (1) refers to cognition, col. (2) to task orientation, and col. (3) to BMI. Columns $4-6$ display the shares which can be alpha ${ }_{A}^{j} E\left(I_{A, 1}^{j}-I_{A, 0}^{j}\right)$
attributed to the direct health effect of experimentally induced changes in adulthood factors: - $E\left(Y_{1}-Y_{0}\right)$ (see equation 9), where col. (4) refers to education, col. (5) refers to employment and col. (6) to earnings. Columns 7-15 display the shares which can be attributed to the indirect effect of experimentally-induced changes in childhood $\alpha_{A} \gamma^{j} E\left(I_{C, 1}-I_{C, 0}\right)$ (see equations 9 and 10). In particular, columns 7-9 refer to the effect of experimentally enhanced cognition through education (col. 7), employment (col. 8) and earnings (col. 9); columns 10-12 refer to the effect of experimentally enhanced task orientation through education (col. 10), employment (col. 11) and earnings (col. 12); and columns 13-15 refer to the effect of experimentally reduced BMI through education (col. 13), employment (col. 14) and earnings (col. 15). The second line presents the one-sided $p$-value that tests if the share is statistically significantly different from zero, computed using the bootstrap method ( 1,000 replications). Hypertension I is defined as systolic blood pressure $>140$ and diastolic blood pressure $>90$. Hypertension II is defined as systolic blood pressure
$>140$ or diastolic blood pressure $>90$.

## Table 14: Carolina Abecedarian Intervention - Static Mediation Results

| Outcome | Mediator |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | $(3)$ | (4) | (5) | (6) |
|  | Males |  |  |  |  |  |
| Diastolic blood pressure at mid 30s |  |  |  |  |  |  |
| Share | -0.264 | 0.172 | 0.262 | -0.010 | -0.039 | 0.069 |
| Inference on share ( $p$-value) | 0.917 | 0.038 | 0.080 | 0.589 | 0.596 | 0.322 |
| Systolic blood pressure at mid 30s |  |  |  |  |  |  |
| Share | -0.190 | 0.207 | 0.268 | -0.086 | -0.256 | 0.123 |
| Inference on share ( $p$-value) | 0.874 | 0.061 | 0.066 | 0.627 | 0.788 | 0.376 |
| Hypertension I at mid 30s |  |  |  |  |  |  |
| Share | -0.258 | 0.130 | 0.267 | 0.042 | -0.160 | 0.070 |
| Inference on share ( $p$-value) | 0.928 | 0.041 | 0.053 | 0.328 | 0.753 | 0.327 |
| Hypertension II at mid 30s |  |  |  |  |  |  |
| Share | -0.143 | 0.038 | 0.252 | -0.050 | 0.134 | 0.096 |
| Inference on share ( $p$-value) | 0.932 | 0.079 | 0.107 | 0.686 | 0.423 | 0.275 |
| Health care coverage at 30 y.o. |  |  |  |  |  |  |
| Share | -0.462 | 0.198 | 0.265 | 0.076 | 0.705 | 0.113 |
| Inference on share ( $p$-value) | 0.739 | 0.292 | 0.210 | 0.213 | 0.076 | 0.338 |
| Health coverage provided by the employer or bought at 30 y.o. |  |  |  |  |  |  |
| Share | -0.156 | 0.098 | 0.265 | 0.107 | 0.467 | 0.126 |
| Inference on share ( $p$-value) | 0.684 | 0.341 | 0.152 | 0.170 | 0.051 | 0.252 |
|  | Females |  |  |  |  |  |
| Physical activity at 21 y.o. |  |  |  |  |  |  |
| Share | 0.424 | 0.070 | 0.044 | $\mathrm{n} / \mathrm{a}$ | $\mathrm{n} / \mathrm{a}$ | $\mathrm{n} / \mathrm{a}$ |
| Inference on share ( $p$-value) | 0.131 | 0.205 | 0.569 | - | - | - |
| \# Fruit servings at 21 y.o. |  |  |  |  |  |  |
| Share | -0.275 | 0.123 | -0.012 | $\mathrm{n} / \mathrm{a}$ | $\mathrm{n} / \mathrm{a}$ | $\mathrm{n} / \mathrm{a}$ |
| Inference on share ( $p$-value) | 0.696 | 0.320 | 0.420 | - | - | - |
| Age of onset of drinking $<17$ |  |  |  |  |  |  |
| Share | -0.015 | -0.056 | 0.038 | $\mathrm{n} / \mathrm{a}$ | $\mathrm{n} / \mathrm{a}$ | $\mathrm{n} / \mathrm{a}$ |
| Inference on share ( $p$-value) | 0.409 | 0.687 | 0.487 | - | - | - |

Notes: This table presents conditional decomposition results for the two multiple static mediation analyses of the statistically significant outcomes for the Abecedarian Intervention. Columns 1-3 report the results for the static mediation analysis, which only includes the early childhood mediators: the IQ score for ages 1-2, the IBR task orientation scale for ages 1-2, the BMI for ages 1-2 (as in Burchinal et al. (1997); Campbell et al. (2014)). Columns 4-6 report the results for the static mediation analysis, which only includes the adult mediators: being a college graduate, employment and earnings at age 30 (as in García et al. (2014)). This latter analysis cannot be performed on the female sample since the statistically significant outcomes are surveyed at age 21, while the adult mediators are recorded at age 30 . The conditioning variables used are mother's WAIS IQ score, HRI (High Risk Index), presence of the father at home and mother employed at entry. For each outcome we present two lines of results. The first line presents the decomposition share, i.e. $\frac{\alpha_{C}^{j} E\left(I_{C, 1}^{j}-I_{C, 0}^{j}\right)}{E\left(Y_{1}-Y_{0}\right)}$ (see equation 13) in columns 1-3, where col. (1) refers to cognition, col. (2) to task orientation, and col. (3) to BMI; and $\frac{\alpha_{A}^{j} E\left(I_{A, 1}^{j}-I_{A, 0}^{j}\right)}{E\left(Y_{1}-Y_{0}\right)}$ (see equation 14) in columns 4-6, where col. (4) refers to education, col. (5) refers to employment and col. (6) to earnings. The second line presents the one-sided $p$-value that tests if the share is statistically significantly different from zero, computed using the bootstrap method ( 1,000 replications). Hypertension I is defined as systolic blood pressure $>140$ and diastolic blood pressure $>90$. Hypertension II is defined as systolic blood pressure $>140$ or diastolic blood pressure $>90$.

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[^0]:    ${ }^{1}$ The rationale for excluding younger siblings from the randomization process was that enrolling children from the same family in different treatment groups would weaken the observed treatment effect due to within-family spillovers.
    ${ }^{2}$ The following quotation from an early monograph on Perry summarizes the logic of the study planners: "Occasional exchanges of children between groups also had to be made because of the inconvenience of half-day preschool for working mothers and the transportation difficulties of some families. No funds were available for transportation or full-day care, and special arrangements could not always be made." (Weikart, Bond and McNeil, 1978, p. 17)

[^1]:    ${ }^{3}$ Each family's value was compared to a cutoff value to determine eligibility, defined as scoring more than 11 on the index. Ramey and Smith (1977) indicates a score of "more than 11", however, Ramey and Campbell (1991) states " 11 points or higher." The final eligibility status was then confirmed after an interview with the mothers.
    ${ }^{4}$ Ramey and Campbell (1979) include this statement "New children were admitted to the study to replace three children who either died or moved away before 6 months of age."
    ${ }^{5}$ Of these families, 7 belonged to the treatment group and only 1 to the control group.

[^2]:    ${ }^{6}$ The report by Ramey and Campbell (1984) indeed includes 107 children.
    ${ }^{7}$ The report by Breitmayer and Ramey (1986), indeed, includes 95 children.

[^3]:    Notes: All outcome measures listed in the first column are directly comparable across programs. Moderators include father's presence at home, mother's age, schooling, and working status, the number of siblings, and Stanford-Binet IQ at age 3 . The columns labeled as "Diff." presents the estimated treatment effects $(\gamma)$ obtained from $Y=\alpha+\gamma D+\epsilon$ for the top panel and from $Y=\alpha+\beta X+\gamma D+\epsilon$ for the bottom panel where $X$ denotes moderators. One-sided $p$-values are reported.

[^4]:    ${ }^{8}$ Individuals who are in prison and subsequently report that they have health care coverage in prison are also coded as "yes".
    ${ }^{9}$ This option is not available in ABC.

[^5]:    ${ }^{10}$ The question on physical activity was not asked at the age 30 interview.
    ${ }^{11}$ http://www.cdc.gov/physicalactivity/everyone/guidelines/adults.html

[^6]:    ${ }^{12}$ The questions on food consumption were not asked at the age 30 interview.

[^7]:    ${ }^{13}$ The age at smoking onset has not been asked for PPP.

[^8]:    ${ }^{14}$ This question has also been asked at age 30 , however we use the age 21 interview to minimize the possibility of recall bias.

[^9]:    ${ }^{15}$ Even though the matching assumption is not testable, we can do inference whether the choice of model used in the implementation of the IPW method generates reliable results. These tests are called balancing tests (Lee, 2013). We performed these tests on the set of variables used in our analysis.

